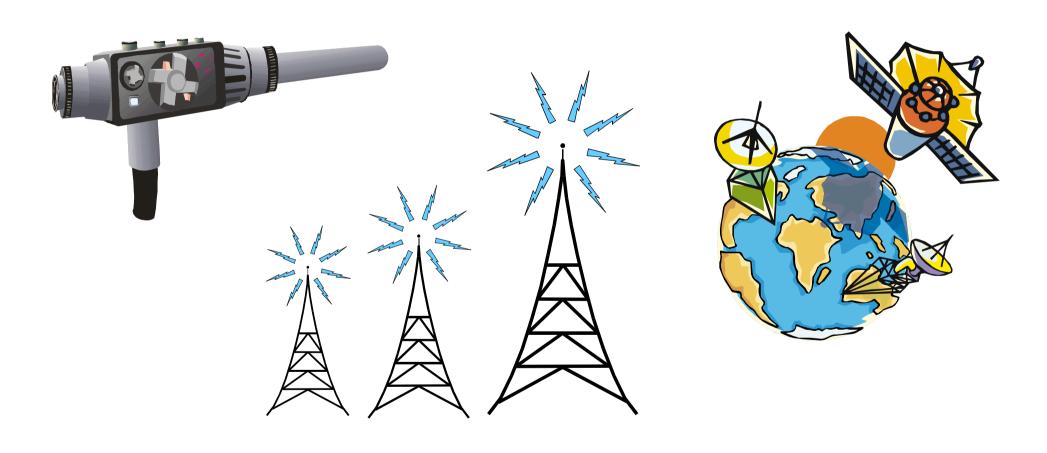
Intermediate 2 WAVES and OPTICS



Name:

Class: ____

Teacher: _____

Waves and Energy

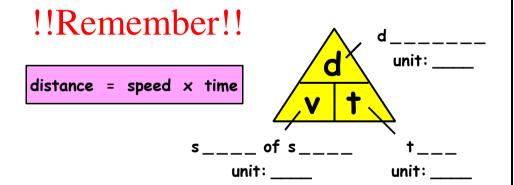


All waves transfer (carry)

e _____ from one place to another - A tsunami sea wave transfers an enormous amount of
e _____ which can cause extensive damage when the wave reaches land.

Waves and Signal Transmission

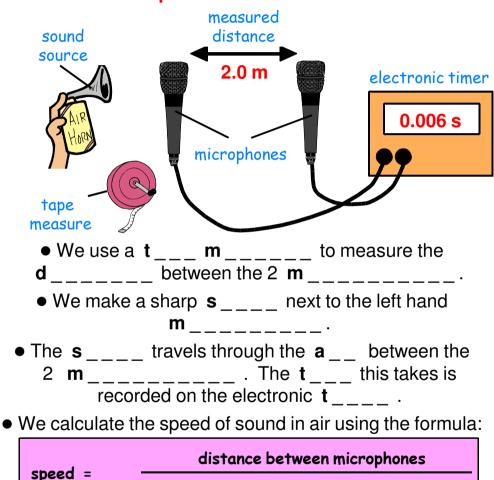
Sound and light signals are transmitted (sent) from one place to another by w _ _ _ _.



You can use this equation to calculate the speed of sound in air.....

Experiment to Measure the Speed of Sound in Air

We can perform an experiment to measure the **speed of sound in air**.



1) (a) What value for the speed of sound in air do you obtain using the values shown on the apparatus above? (b) How could you improve this experiment?

time for sound to pass between microphones

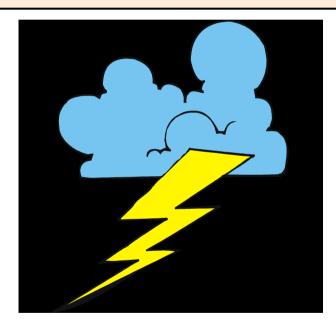
Comparing the Speed of Sound and Light in Air

In air, speed of sound = m/s	l	In air, light travels almost times faster
In air, speed of light =m/s	$(_\times10^- \text{ m/s})\int_{}^{}$	than sound.

Light travels so quickly that we see an event happening at the instant it happens - light from the event reaches our eyes instantly (even when we are far away).

Use the word bank to complete the passage below.

hear less light light lightning see sound sound thunder



During a storm, **thunder** and **lightning** are produced at exactly the same time.

We	the	before we	the
	because,	in air, the speed of	
	is <u>less</u> than the	speed of	
The	reach	es us before the	

- 2) At a fireworks display, a rocket explodes high above your head, producing a loud explosion and a bright flash of light at the same time.
- (a) What will reach you first? the sound of the explosion or the flash of light:

(b) Explain why:

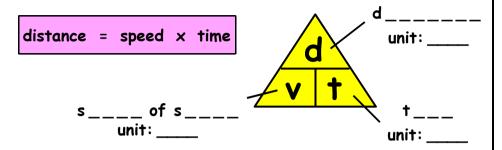


- **3)** On a golf course, you observe a golfer in the distance hitting a golf ball with her club.
 - (a) What will you observe first? the ball moving through the air or the sound of the club hitting the ball:



(b) Explain why:

We can use this **formula** to solve problems about sound travelling through the air (or other materials):



10) Susan shouts at a brick wall. After 0.8 seconds, she hears her "echo" - the sound of her shout reflected off the wall.

Calculate how far away from the wall Susan is. **BE CAREFUL!** - It might help if you draw the path taken by the sound on the diagram.



wall

- 4) Calculate the distance sound will travel through the air in 2 seconds.
- 5) How far will the sound of an explosion travel through the air in 5 seconds?

Speed of sound in steel = 5 200 m/s.

Sound has a different speed in different materials. For example:

Speed of sound in water = 1 500 m/s.

- 6) Calculate the time it will take sound to travel 1 020 metres through the air.
- 7) How long will it take the sound of a bell to travel 850 metres through the air?
- 11) A steel wire is 6 760 metres long. Calculate the time it will take sound to travel along the wire.

- 8) Calculate the speed of sound in air if it takes 4 seconds for the sound to travel 1 360 metres.
- 9) The sound of a car horn is heard 1 190 metres away,3.5 seconds after it has been sounded. Calculate the speed of the horn sound in air.
- 12) To find out the depth of water beneath its hull, a fishing boat sends a pulse of sound through the water from its hull to the sea bed.

 After 1.2 seconds, the fishing boat detects the sound pulse reflected from the sea bed.

How deep is the sea?



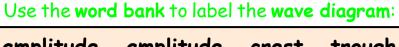
sea bed

Understanding Waves

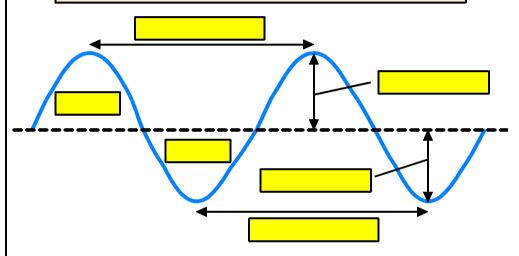
13) What is a wave?

14) Do all waves transfer energy?

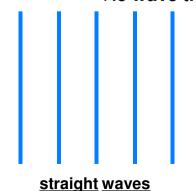
15) Do all waves have certain things in common?

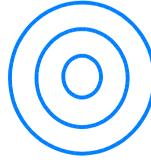


amplitude amplitude crest trough wavelength wavelength



These diagrams represent **waves** viewed from above. The lines show the middle of **wave crests**. No **wave troughs** are shown.



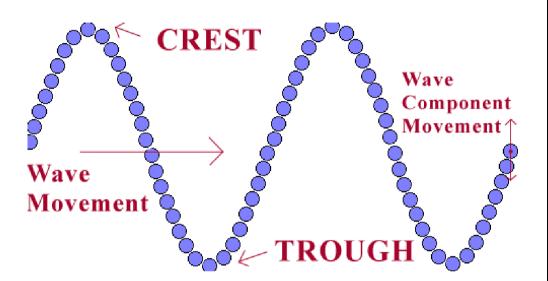


circular waves

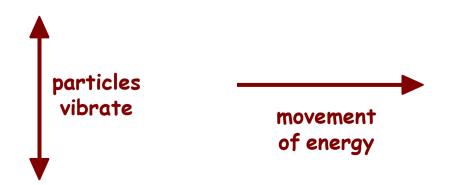
On each diagram, show the wavelength.

Types of Waves

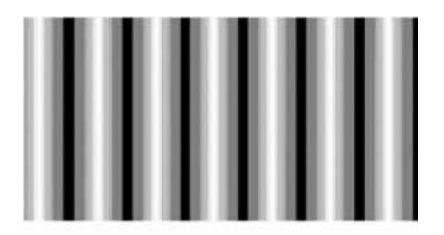
Transverse



In a **transverse wave**, the particles vibrate up and down at **right-angles** (90°) to the direction in which **energy** is being carried.



Longitudinal



In a **longitudinal wave**, the particles vibrate back and forward **along** the direction in which **energy** is being carried.



Describing Waves

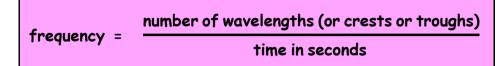
Use the word bank to complete the table:

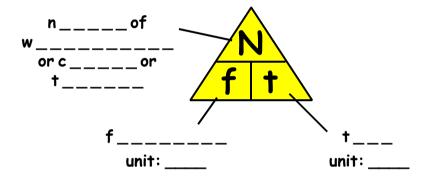
above amplitude amplitude below distance second wavelength f Hz λ m m m/s v

Quantity	Symbol	Unit	Description
wave crest			Part of wave centre line.
wave trough			Part of wave centre line.
			Height of wave crest or wave trough measured from the centre line.
			The higher the of a wave, the more energy it carries.
	lambda		Distance between 2 identical neighbouring points on a wave, e.g., distance between 2 neighbouring wave crests.
frequency		hertz	Number of wavelengths (or crests or troughs) every
speed			wave travels every second.

The frequency of a wave	is:
--------------------------------	-----

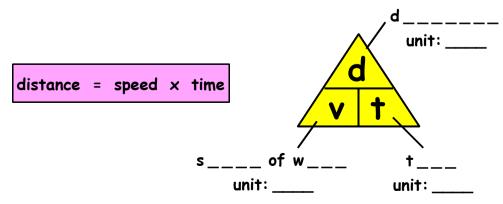
This can be represented by the formula:





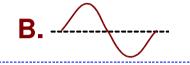
The **speed** of a wave is:

This can be represented by the formula:

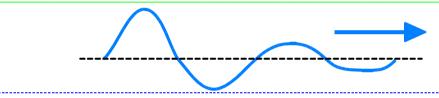


Water Wave Problems/Calculations

- 16) (a) Which of these waves is carrying the most energy? ______(b) Explain you answer: ______
 - **A.**



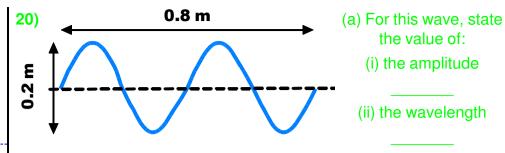
- 17) The wave shown below is travelling to the right.
- (a) As the wave travels, what happens to its amplitude?
- (b) What must be happening to the wave's energy?



- 18) (a) State the value for this wave's:
- - (b) The wave was produced in 1 second.

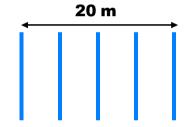
State the value for its frequency:

- 19) Determine the frequency of the wave in each case:
- (a) 5 wavelengths are produced every second.
- (b) 10 water waves pass the end of a pier in 2 seconds.
- (c) 12 circular waves spread across a pond in 20 seconds



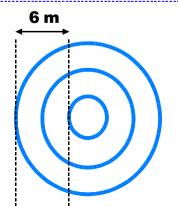
(b) The wave was produced in 2 seconds. State the value for its frequency.

21) (a) Determine the wavelength of these water waves.



(b) These 5 wave crests were produced in 25 seconds.

Determine the frequency of the waves.



- **22)** (a) What is the wavelength of these circular water waves?
- (b) The 3 wave crests were produced in 0.5 seconds. What is the wave frequency?

23) A tsunami sea wave takes 6 seconds to travel up a beach with a speed of 15 metres per second.



What distance does the wave travel up the beach?

24) When Sajidha threw a stone into a pond, circular waves travelled 7.5 metres across the water in 2.5 seconds.

Calculate the speed of these water waves.



25) Sea waves approach a cliff at 4 metres per second.



What time will the waves take to travel 20 metres?

26) Sid the surfer rides the crest of a sea wave travelling at 6 metres per second for 8 seconds.



Calculate how far the wave carries Sid in this time.

27) A drop of water from a leaking tap causes waves on the surface of Brenda's bath water.

If these waves travel 0.4 metres in 1.6 seconds, at what speed are they travelling?



28) As the tide goes out, sea waves travel 50 metres with a speed of 2.5 metres per second.



How long do the waves take to travel this distance?

Another Wave Formula

For any wave, the **time** taken (T) to produce **1 wavelength** (1λ) is related to the **frequency** (f) of the wave by the formula:

frequency =
$$\frac{1}{\text{time}}$$

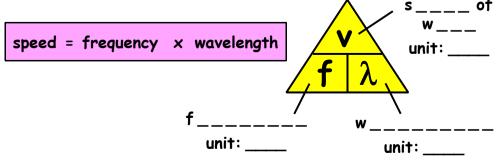
 $f = \frac{1}{T}$

If 1 wavelength (1 λ) is produced in time (T), a wave will travel a distance (d) of 1 wavelength (1 λ) in time (T):

speed (v) =
$$\frac{\text{distance (d)}}{\text{time (T)}} = \frac{1 \lambda}{T} = \frac{1}{T} \times \lambda$$

$$= \frac{f \times \lambda}{T}$$
since $f = \frac{1}{T}$

We have another **formula** which applies to **waves**:



Explain the **equivalence** of the 2 wave formulae:

speed (v) = frequency (f) × wavelength (
$$\lambda$$
)

and

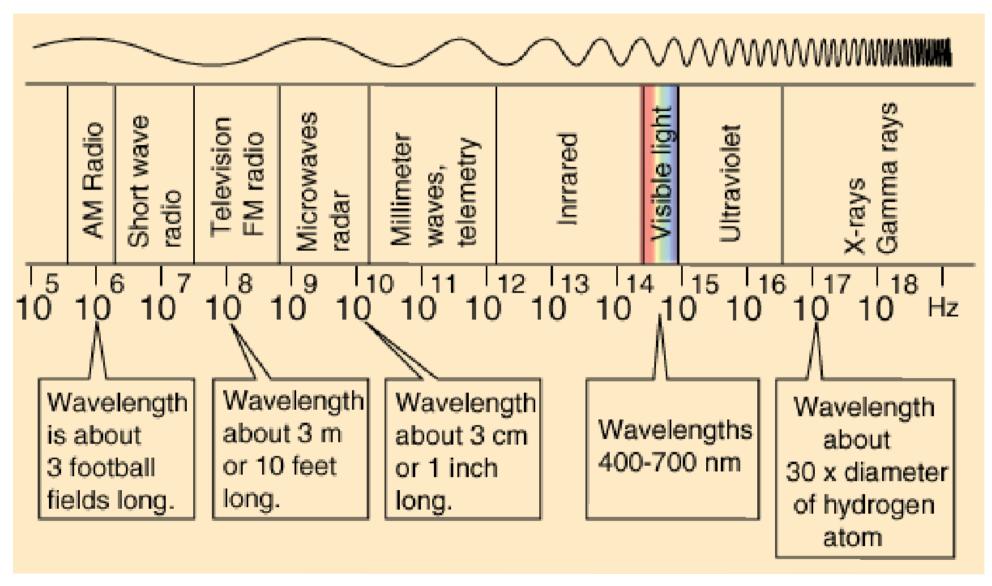
speed (v) = $\frac{\text{distance (d)}}{\text{time (T)}}$

Speed, Wavelength and Frequency Calculations for Water and Sound Waves

29) Calculate the speed of water waves which have a frequency of 2 hertz and a wavelength of 5 metres.	32) Every second, 2 waves are produced on Alan's bath water by water dripping from a tap. If these waves have a wavelength of 0.05 metres, calculate their speed.	35) Calculate the speed of sound waves in air which have a frequency of 500 hertz and a wavelength of 0.34 metres.	38) A submarine sends a pulse of sound through the sea. Determine the speed of the sound pulse if it has a frequency of 7 500 hertz and a wavelength of 0.2 metres.
30) Calculate the frequency of water waves in a harbour if they travel at 3 metres per second and have a wavelength of 4 metres.	33) The wind causes waves to travel across a puddle at 2.4 metres per second. If the waves have a wavelength of 0.6 metres, determine their frequency.	36) Calculate the frequency of sound waves in air which travel at 340 metres per second and have a wavelength of 1.7 metres.	39) Sound travels through steel at 5 200 metres per second. In the steel, sound waves have a wavelength of 2 metres. Calculate their frequency.
31) Calculate the wavelength of water waves on a pond which travel at 0.75 metres per second and have a frequency of 1.5 hertz.	34) A wave generator in a swimming pool produces 2.5 waves every second. The waves travel across the pool at 1.2 metres per second. Determine their wavelength.	37) Calculate the wavelength of sound waves in air if they travel at 340 metres per second and have a frequency of 6 800 hertz.	40) Ultrasound (frequency 21 000 hertz) travels through human muscle at 1 600 metres per second. Calculate the wavelength of ultrasound in the muscle.

The Electromagnetic Spectrum

The electromagnetic (EM) spectrum is a name that scientists give to groups of transverse waves which have different wavelengths/frequencies but all travel at the same speed in air (300 000 000 m/s, i.e., 3 x 10⁸ m/s).



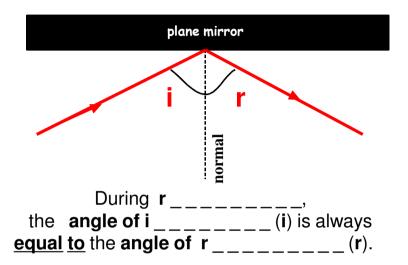
Optics

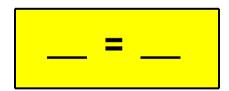
Reflection of Light

Light travels in **straight lines** called **light r**___.

When a **light ray** hits a surface like a **plane mirror**, the **light ray** is **r** off the surface.

A <u>normal</u> is a dashed line drawn at 90° to a surface where a light ray hits the surface.

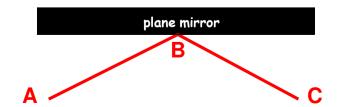




The Principle of Reversibility of Ray Paths

If a light ray is shone from A to C via B or from C to A via B, it will follow exactly the same path but in the reverse direction.

This is the principle of r of r p .



Total Internal Reflection

Fibre optics can be used as a transmission system for c___ light - No h___ energy passes through the system. L _ _ _ passes along an o _ _ _ f _ _ _ by t____ i____ r_____. • What do the words "total" and "internal" tell you about the **reflection**? • Complete this diagram to show light passing along an optic fibre:

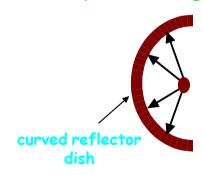
This diagram sho	ws parts of a
WHO WHO	nat is this device used for?
Describe and explain how it w	vorks:

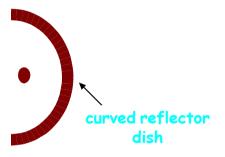
Curved Reflectors

Fitting a c	r dish to a	receiver aerial			
can ma	ake the received signal $s_{}$	·	Show this		
When incoming	signals hit the $c_{}$ $r_{}$	dish,	by		
the dish f	$_{}$ them all onto the $ {f r}_{}$	a	• •	receiver aerial → ●	*
The r	a therefore receive	esa s	the		curved reflector
signal tl	han it would if the dish was not fi	tted to it.	diagram:		dish

Curved Reflector Transmitter and Receiver Systems

Complete the diagram below to show <u>signals</u> being transmitted from the <u>transmitter</u> <u>aerial</u> to the <u>receiver</u> <u>aerial</u>:



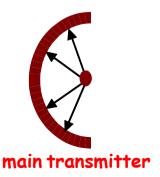


The above diagram could represent **signals** being passed from a **satellite** to the **Earth**, or a **TV link** (e.g., television signals being sent from a sporting event to the television studio).

Sometimes, if **signals** have to travel a long distance over the Earth's surface, the **signals** get **w**_____.

We make the **signals s**_____ again by giving them **e**_____ at a **b**_____ **station**.

Show this on the diagram below:





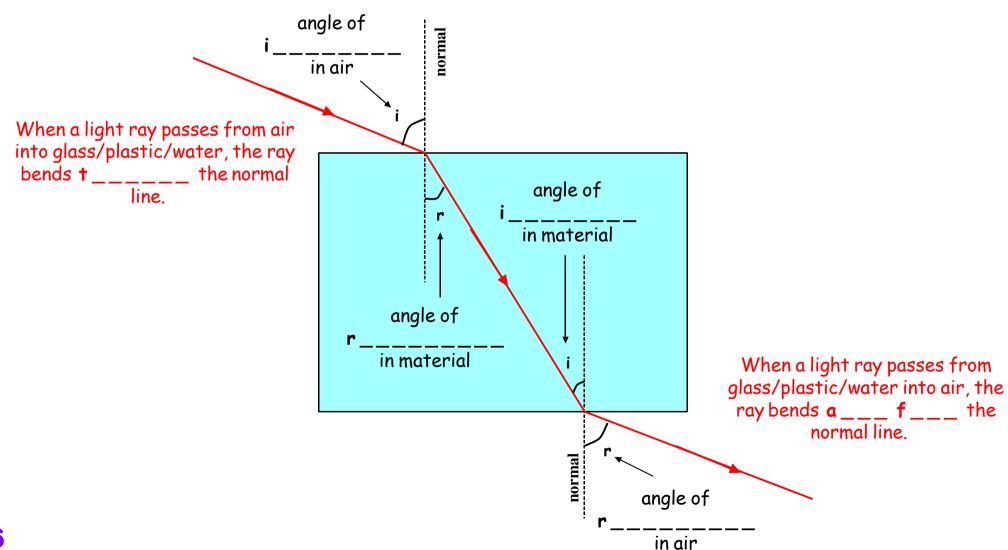


Refraction of Light

Light travels in **straight lines** called **light r**___.

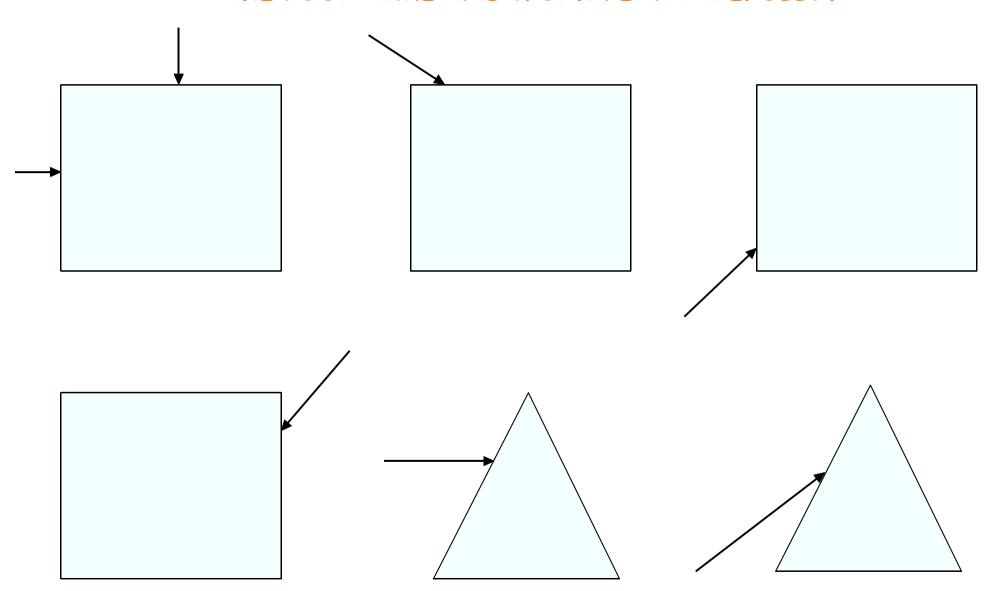
When **light** passes from one material into another of different **density**, its **s**____ changes and so its **d**_____ changes (unless the light hits the material at 90° to its surface) - This is known as **r**_____.

A <u>normal</u> is a dashed line drawn at 90° to the surface of a material where a light ray hits the material.



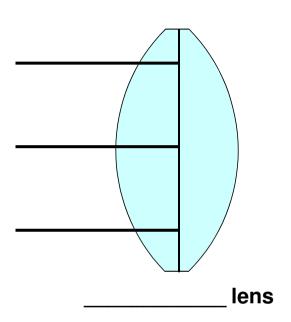
• Using a <u>ruler</u> and <u>protractor</u>, complete each diagram below to show what happens to the rays of light as they pass through the glass blocks. (Remember to draw <u>normal lines</u>).

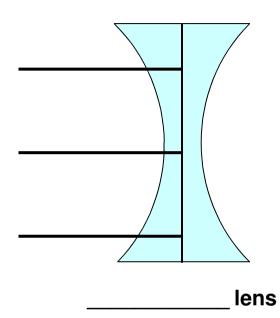
TAKE YOUR TIME AND WORK VERY CAREFULLY.



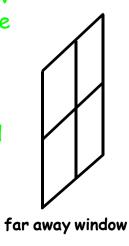
Lenses

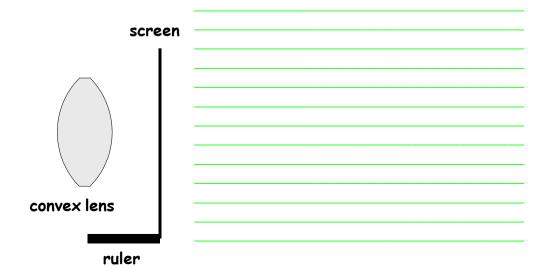
- Name each shape of **lens** shown below.
- Using a <u>ruler</u>, complete both diagrams to show what happens to the <u>light rays</u>.





- On each diagram, show the <u>focal length</u> of the lens.
 - Describe a simple experiment you could perform to find the <u>focal length</u> of a <u>convex lens</u>.





Focal Length and Power of Lenses

T____ lenses refract (**b**___) light more than **t**___ lenses - so **t**____ lenses are more **p**_____.

A **powerful** lens has a **s**_____ focal length.

Convex lenses have a **p**_____ (__) power.

Concave lenses have a **n**_____ (__) power.

power (P) =
$$\frac{1}{\text{focal length in metres (f)}}$$

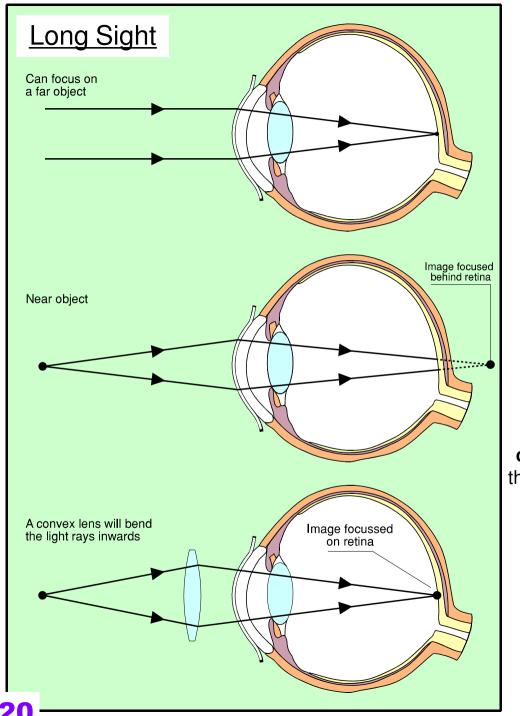


focal length in metres (f) = power (P)

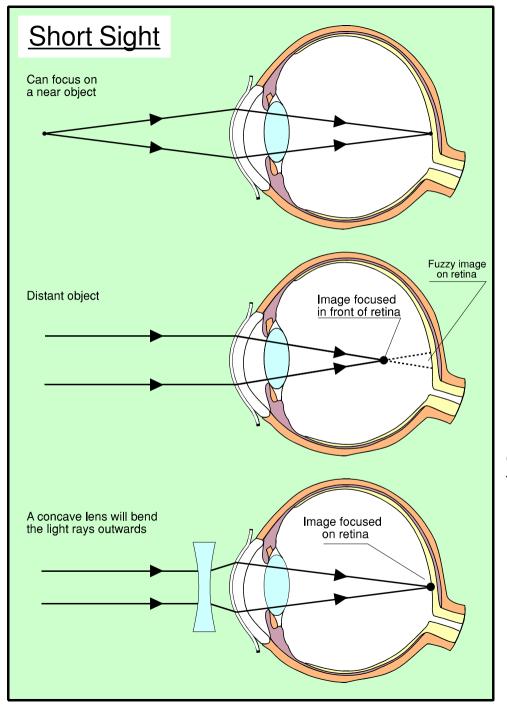
dioptres (D)

metres (m)

	Convex Lenses	<u>C</u>	oncave Lenses	
A convex lens has a power of + 5 D. Calculate its focal length in metres.	A convex lens has a focal length of 0.5 m. Calculate its power.	A concave lens has a power of -4 D. Calculate its focal length in metres.	A concave lens has a focal length of 1.25 m. Calculate its power.	
Calculate the focal length of a lens with power + 40 D.	Calculate the power of a convex lens of focal length 0.25 m.	Calculate the focal length of a lens with power -8 D.	Calculate the power of a concave lens of focal length 0.6 m.	40

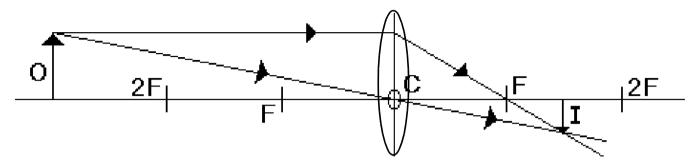


A person who is I s _	can see c
objects which are f a	This is because the eye
c focus the p	light rays coming from the
	the r
are c to them - This focus the n-p	see c objects which is because the eye c light rays coming from the he r
Complete this discover to show h	
Complete this diagram to show h "long-sighted eye" focuses light	
from a <u>close</u> object.	10/3
To correct long sight, a	
$c _ $	ront of
ne eye. Complete this diagram to s	show the
affect the lens has on light rays f	rom a
<u>close</u> object.	

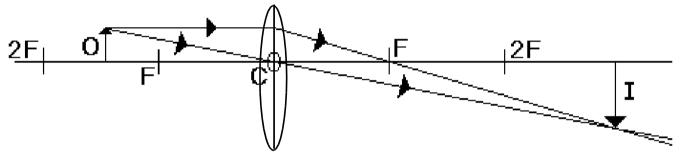


Αp	person who is	s	s	can see c	
·				his is because the ey	
C				light rays coming	
	1	he object	on the I	,	
á	are d	_ (f a the p	1))	c objects of the state of the common co	eye
	nplete this diagr ort-sighted eye" from a <u>dista</u>	focuses lig			
	To correct	short sigh	ıt, a		
c		_ is place	d in fror	nt of	
the e	eye. Complete tl	nis diagram	to show	the	
af	fect the lens ha	s on light r	ays from	a T	
	<u>distant</u>	object.			

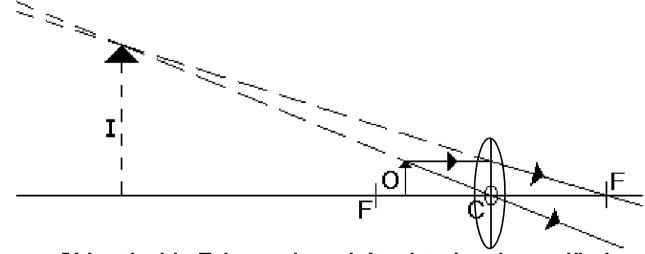
Images Formed by Convex Lenses



Object beyond 2F, image is inverted, real and diminished

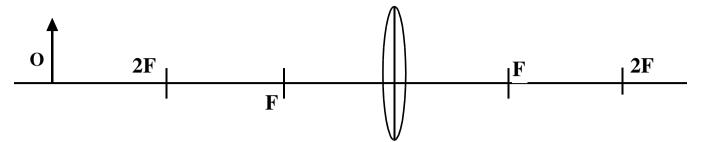


Object between 2F and F, image is inverted, real and magnified.

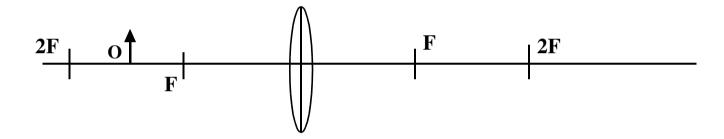


Object inside F, image is upright, virtual and magnified.

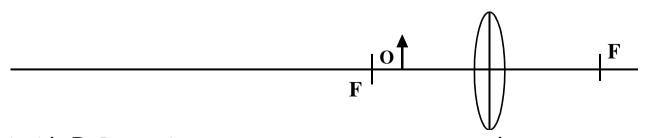
• Complete each diagram, to show the **image** formed by the convex lens. USE A PENCIL AND RULER. BE CAREFUL. TAKE YOUR TIME.



Object beyond 2F: Image is i _____, r___ and d______.

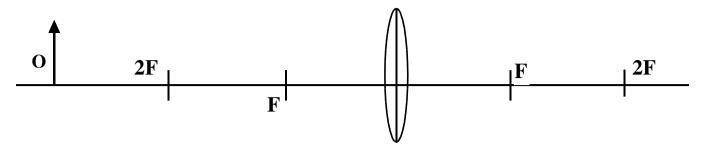


Object between 2F and F: Image is i ____, r__ and m_____.

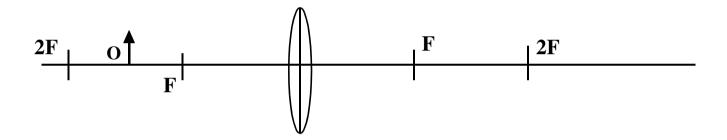


Object inside F: Image is u _____, v ____ and m ______

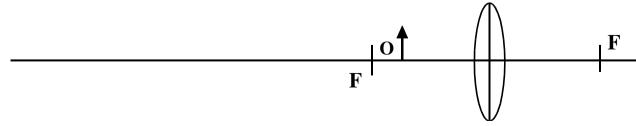
• <u>ONCE AGAIN</u>, complete each diagram, to show the **image** formed by the convex lens. USE A PENCIL AND RULER. BE CAREFUL. TAKE YOUR TIME.



Object beyond 2F: Image is i _____, r___ and d______.



Object between 2F and F: Image is i ____, r__ and m_____.



Object inside F: Image is u _____, v ____ and m _____.