

ANNOTATED N5 RELATIONSHIPS SHEET

Equation	
$d = vt$	<i>distance (m) = speed (m s⁻¹) × time (s)</i>
$d = \bar{v}t$	<i>total distance (m) = average speed (m s⁻¹) × time (s)</i>
$s = vt$	<i>displacement (m) = velocity (m s⁻¹) × time (s)</i>
$s = \bar{v}t$	<i>total displacement (m) = average velocity (m s⁻¹) × time (s)</i>
$a = \frac{v - u}{t}$	<i>acceleration (m s⁻²) = $\frac{\text{final velocity (m s}^{-1}\text{)} - \text{initial velocity (m s}^{-1}\text{)}}{\text{time (s)}}$</i>
$F = ma$	<i>force (N) = mass (kg) × acceleration (m s⁻²)</i>
$W = mg$	<i>weight (N) = mass (kg) × gravitational field strength (N kg⁻¹)</i>
$E_w = Fd$	<i>work done (J) = force (N) × distance (m)</i>
$E_p = mgh$	<i>gravitational potential energy (J) = mass (kg) × gravitational field strength (N kg⁻¹) × vertical height (m)</i>
$E_k = \frac{1}{2}mv^2$	<i>kinetic energy (J) = $\frac{1}{2} \times \text{mass (kg)} \times \text{speed}^2 \text{ (m s}^{-1}\text{)}^2$</i>
$Q = It$	<i>charge (C) = current (A) × time (s)</i>
$V = IR$	<i>voltage (V) = current (A) × resistance (Ω)</i>
$V_2 = \left(\frac{R_2}{R_1 + R_2}\right)V_s$	For potential dividers: <i>voltage across second series resistor (V) = $\frac{\text{resistance of } R_2 \text{ (Ω)}}{\text{total resistance (Ω)}} \times \text{voltage supply (V)}$</i>
$\frac{V_1}{V_2} = \frac{R_1}{R_2}$	<i>$\frac{\text{voltage 1 (V)}}{\text{voltage 2 (V)}} = \frac{\text{resistance 1 (Ω)}}{\text{resistance 2 (Ω)}}$</i>
$R_T = R_1 + R_2 + \dots$	For resistors in series: <i>total resistance (Ω) = resistance of R₁ (Ω) + resistance of R₂ (Ω) + ...</i>
$\frac{1}{R_T} = \frac{1}{R_1} + \frac{1}{R_2}$	For resistors in parallel <i>$\frac{1}{\text{total resistance (Ω)}} = \frac{1}{\text{resistance of } R_1 \text{ (Ω)}} + \frac{1}{\text{resistance of } R_2 \text{ (Ω)}} + \dots$</i>
$P = \frac{E}{t}$	<i>power (W) = $\frac{\text{energy (J)}}{\text{time (s)}}$</i>
$P = IV$	<i>power (W) = current (A) × voltage (V)</i>
$P = I^2R$	<i>power (W) = current² (A)² × resistance (Ω)</i>
$P = \frac{V^2}{R}$	<i>power (W) = $\frac{\text{voltage}^2 \text{ (V)}^2}{\text{resistance (Ω)}}$</i>

Equation

$$E_h = cm\Delta T$$

heat energy (J) = Specific heat capacity ($\text{Jkg}^{-1}\text{°C}^{-1}$ or $\text{Jkg}^{-1}\text{K}^{-1}$) \times mass (kg)
 \times change in temperature (°C)
 Find the value of c on the data sheet

$$E_h = ml$$

heat energy (J) = mass (kg) \times specific latent heat (Jkg^{-1})
 Find the value of l on the data sheet
 NB there is no change in temperature just state

$$p = \frac{F}{A}$$

pressure (Pa) = $\frac{\text{Force (N)}}{\text{Area (m}^2\text{)}}$

$$p_1V_1 = p_2V_2$$

pressure₁ (Pa) \times volume₁ (m^3) = Pressure₂ (Pa) \times volume₂ (m^3)

$$\frac{p_1}{T_1} = \frac{p_2}{T_2}$$

$\frac{\text{pressure}_1 (\text{Pa})}{\text{Temperature}_1 (\text{K})} = \frac{\text{Pressure}_2 (\text{Pa})}{\text{Temperature}_2 (\text{K})}$ Temp MUST be in Kelvin

$$\frac{V_1}{T_1} = \frac{V_2}{T_2}$$

$\frac{\text{volume}_1 (\text{m}^3)}{\text{Temperature}_1 (\text{K})} = \frac{\text{volume}_2 (\text{m}^3)}{\text{Temperature}_2 (\text{K})}$ Temp MUST be in Kelvin

$$\frac{pV}{T} = \text{constant}$$

$\frac{\text{Pressure (Pa)} \times \text{volume (m}^3\text{)}}{\text{Temperature (K)}} = \text{constant value}$

$$f = \frac{N}{t}$$

Frequency (Hz) = $\frac{\text{No. of waves produced or passing a point (no units)}}{\text{time (s)}}$

$$v = f\lambda$$

wave speed (m s^{-1}) = Frequency (Hz) \times wavelength (m)

$$T = \frac{1}{f}$$

Period (s) = $\frac{1}{\text{Frequency (Hz)}}$

$$A = \frac{N}{t}$$

Activity (Bq) = $\frac{\text{No. of disintegrations (no units)}}{\text{time (s)}}$

$$D = \frac{E}{m}$$

Absorbed Dose (Gy) = $\frac{\text{Energy (J)}}{\text{mass (kg)}}$

$$H = Dw_R$$

Equivalent Dose (Sv) = Absorbed Dose (Gy) \times radiation weighting factor (no units)

$$\dot{H} = \frac{H}{t}$$

Equivalent Dose rate (Svh^{-1} or Svy^{-1}) = $\frac{\text{Equivalent Dose (Sv)}}{\text{time (s or h or y)}}$