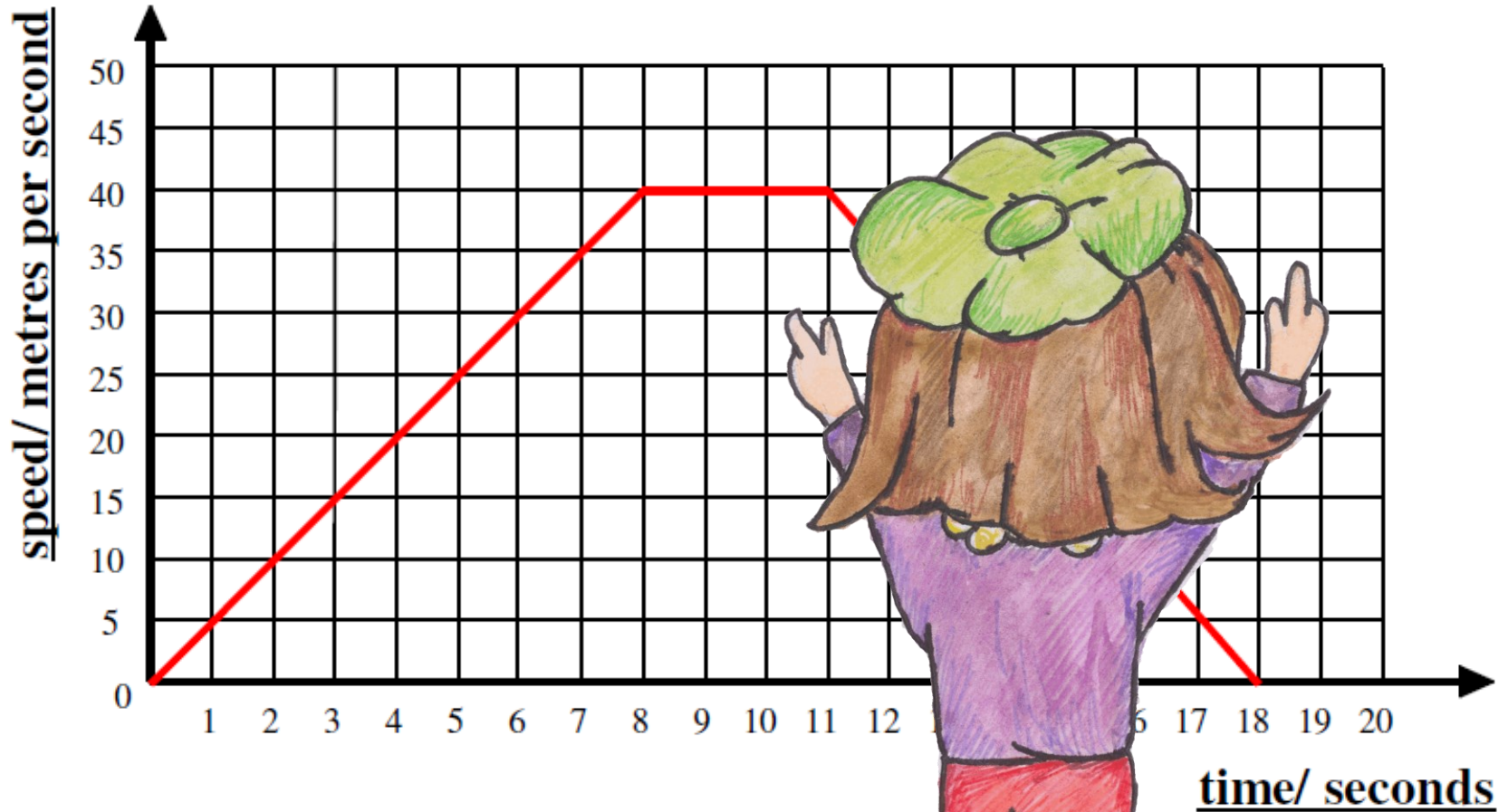




Velocity- Time GRAPHS

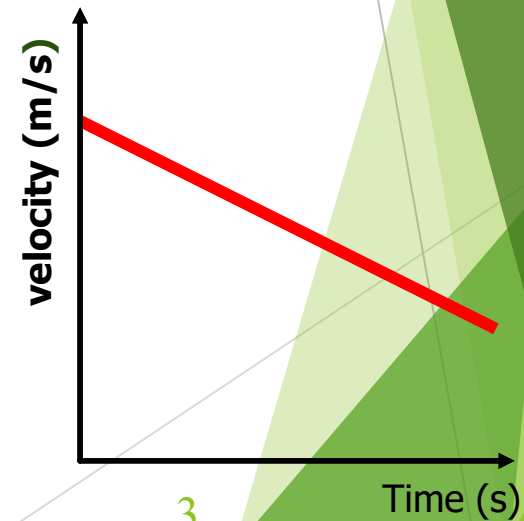
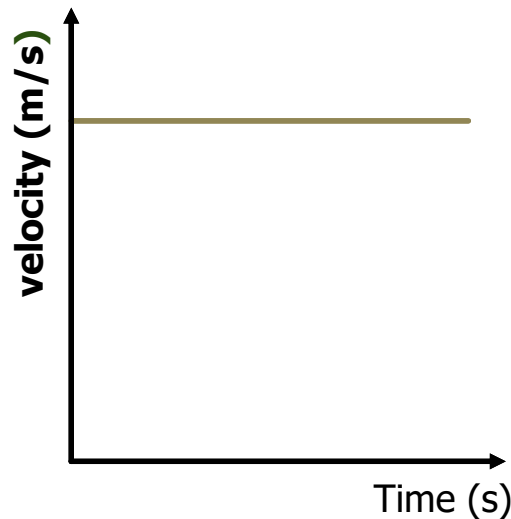
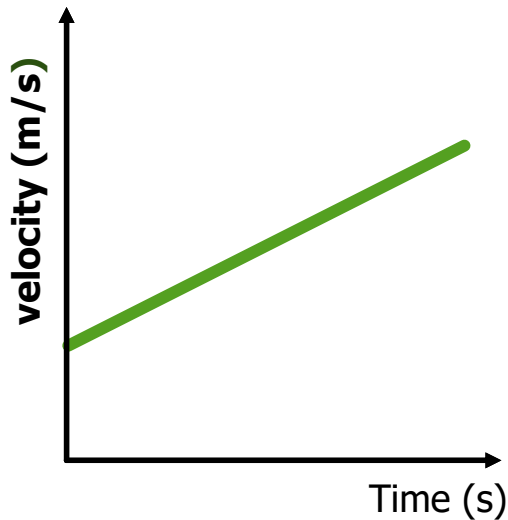
N5 Physics

Describing graphs

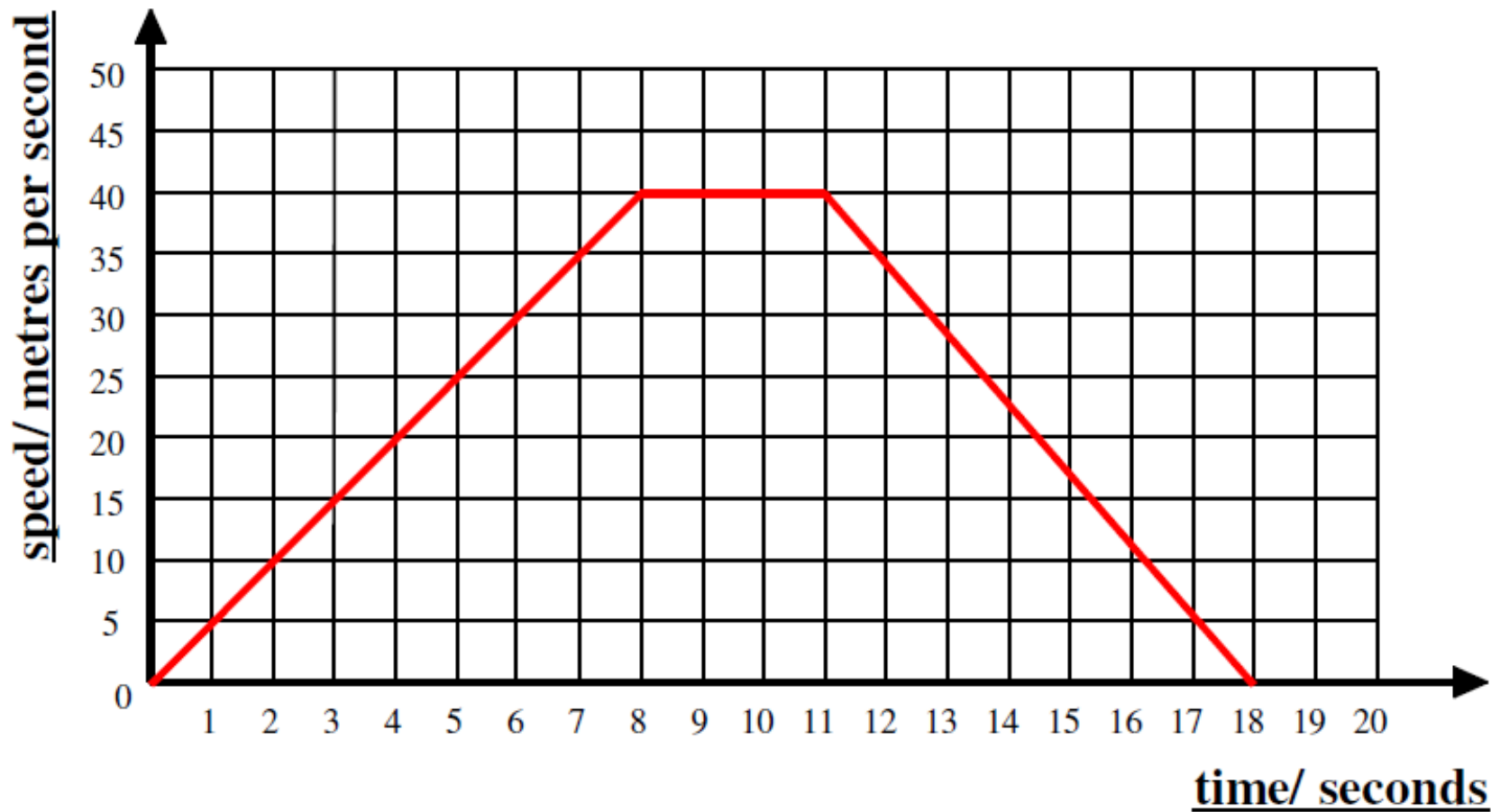


The motion of any object can be represented by a line drawn on a **speed-time or velocity-time graph**. This give a visual indication of how objects are moving.

Speeding up	constant velocity	Slowing down
Increasing velocity Constant Acceleration	Uniform velocity /speed Steady speed/velocity / Zero acceleration	Negative constant acceleration, constant deceleration



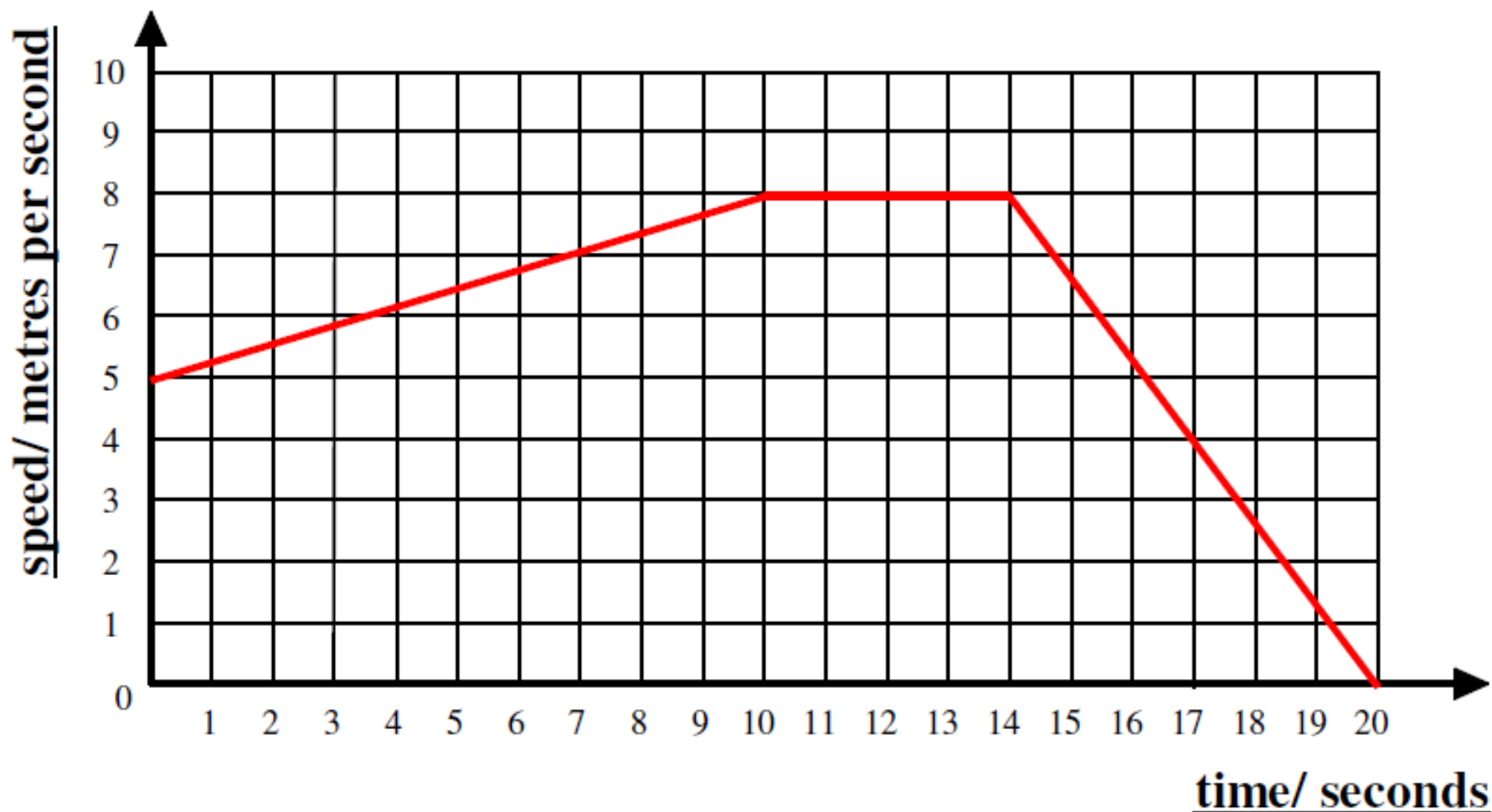
Describe the motion represented by the line on each speed-time graph:



0 - 8 seconds: Increasing velocity from 0 metres per second to 40 metres per second. (Constant/uniform acceleration).

8 - 11 seconds: Constant velocity of 40 metres per second.

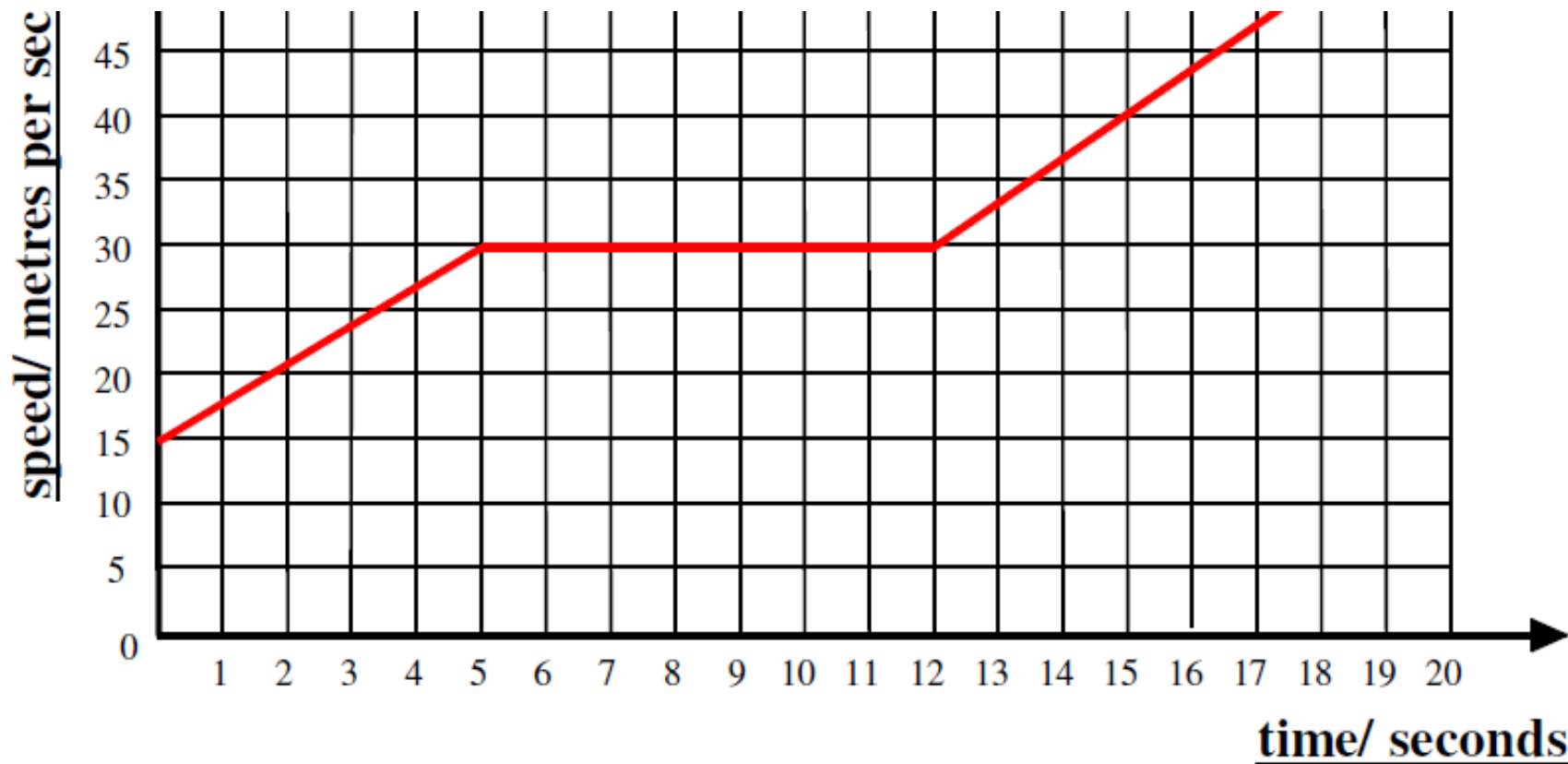
11 - 18 seconds: Decreasing velocity from 40 metres per second to 0 metres per second. (Constant/uniform Negative acceleration).



0 - 10 seconds: _____ from _____ metres per second to _____ metres per second. (Constant/uniform _____).

10 - 14 seconds: _____ of _____ metres per second.

14 - 20 seconds: _____ from _____ metres per second to _____ metres per second. (Constant/uniform _____).



0 - 5 seconds: _____ from _____ metres per second to _____ metres per second. (Constant/uniform _____).

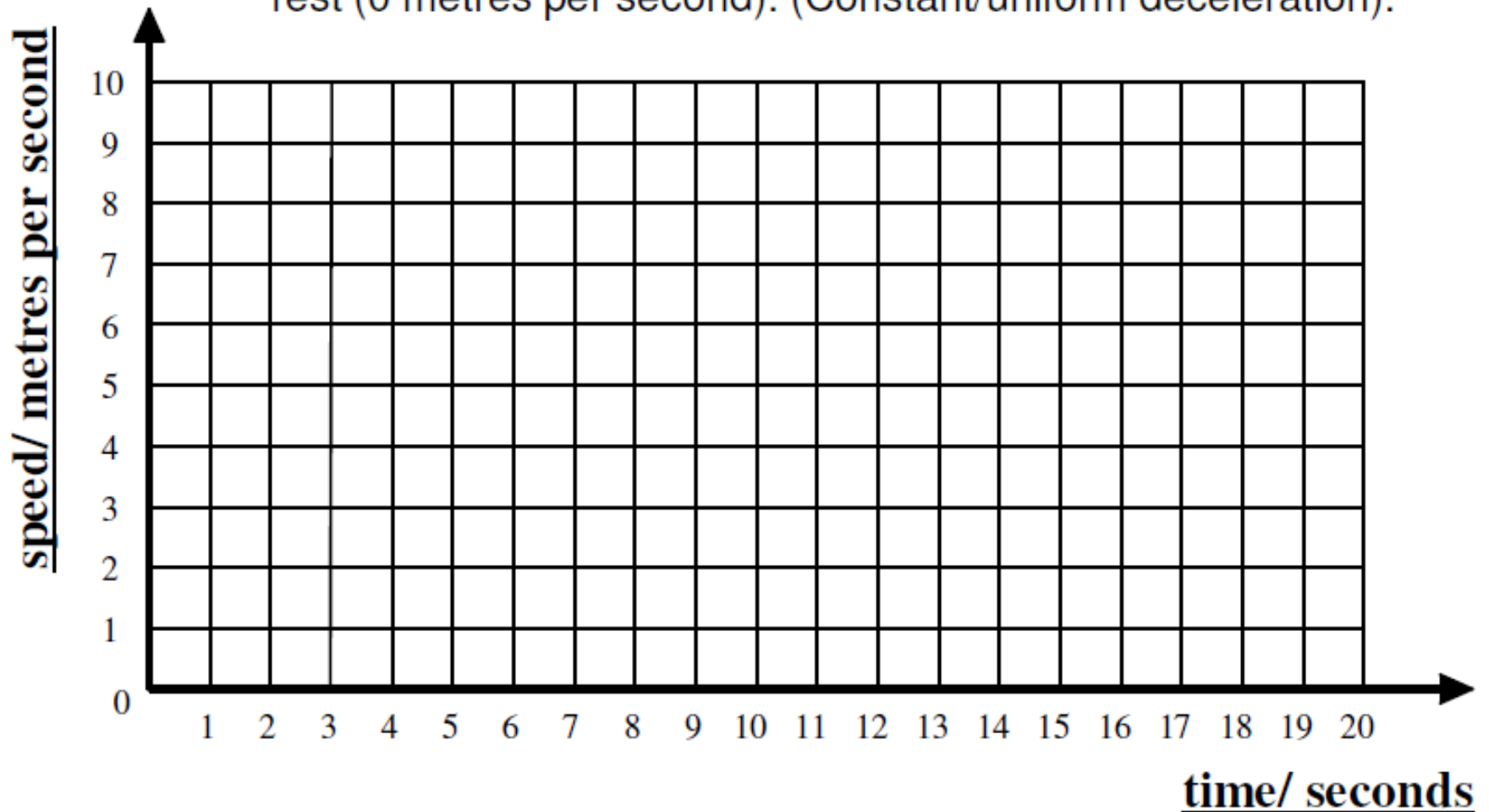
5 - 12 seconds: _____ of _____ metres per second.

12 - 17 seconds: _____ from _____ metres per second to _____ metres per second. (Constant/uniform _____).

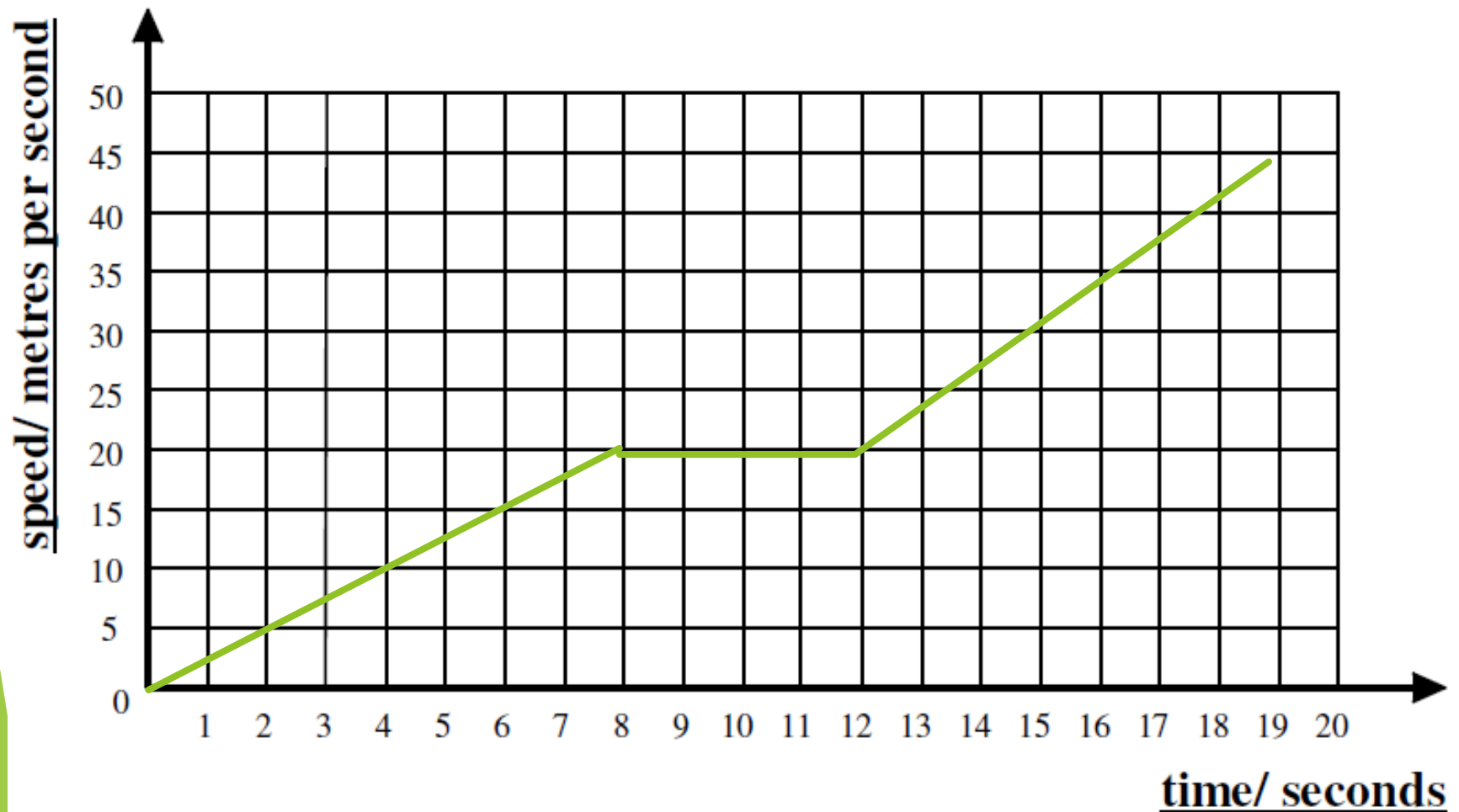
0 - 5 seconds: Speeding up from rest (0 metres per second) to 10 metres per second. (Constant/uniform acceleration).

5 - 15 seconds: Steady speed of 10 metres per second.

15 - 20 seconds: Slowing down from 10 metres per second to rest (0 metres per second). (Constant/uniform deceleration).



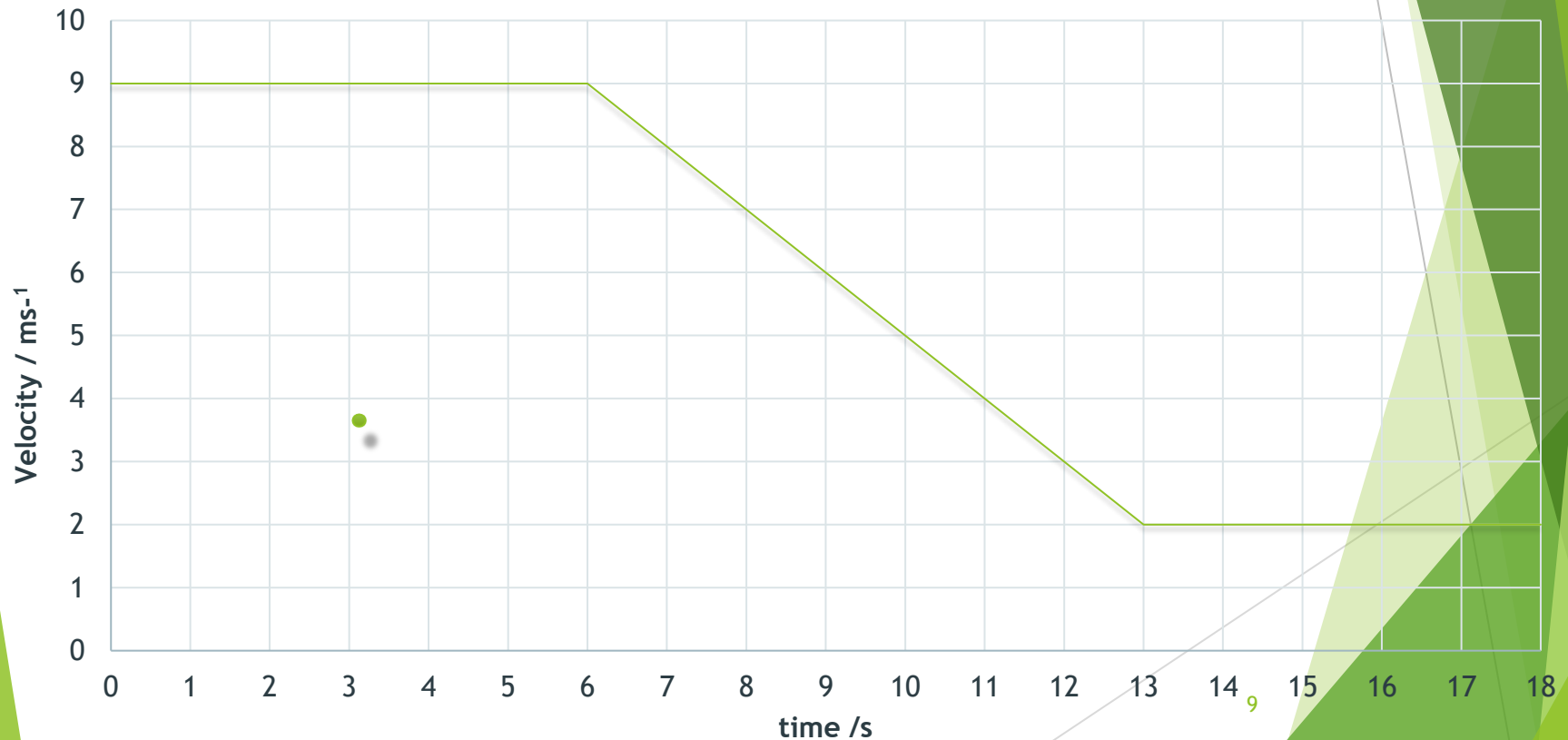
With uniform/constant acceleration, a motorcycle takes 8 seconds to speed up from rest to 20 metres per second. The motorcycle continues to travel at this steady speed for 4 seconds. It then increases its speed to 45 metres per second (constant/uniform acceleration) in 7 seconds.



Maximum velocity 9 ms^{-1} , total time 18 s

A cyclist travels at a steady velocity of 9 ms^{-1} for 6 s , before slowing down (negative constant acceleration) to a velocity of 2 ms^{-1} in 7 s . She then travels at this constant velocity for a further 5 s .

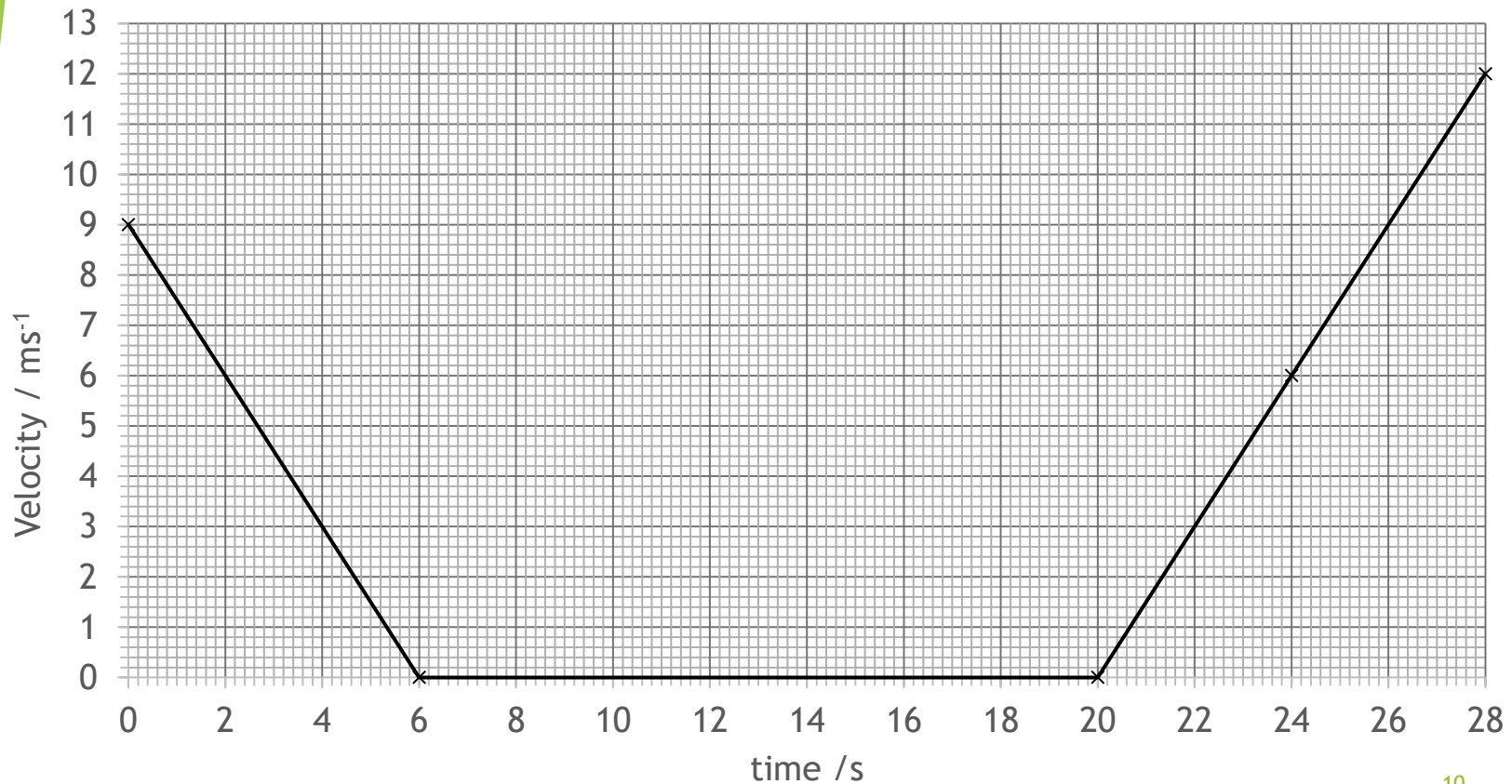
Velocity time graph



Draw a velocity time graph for the following motion.

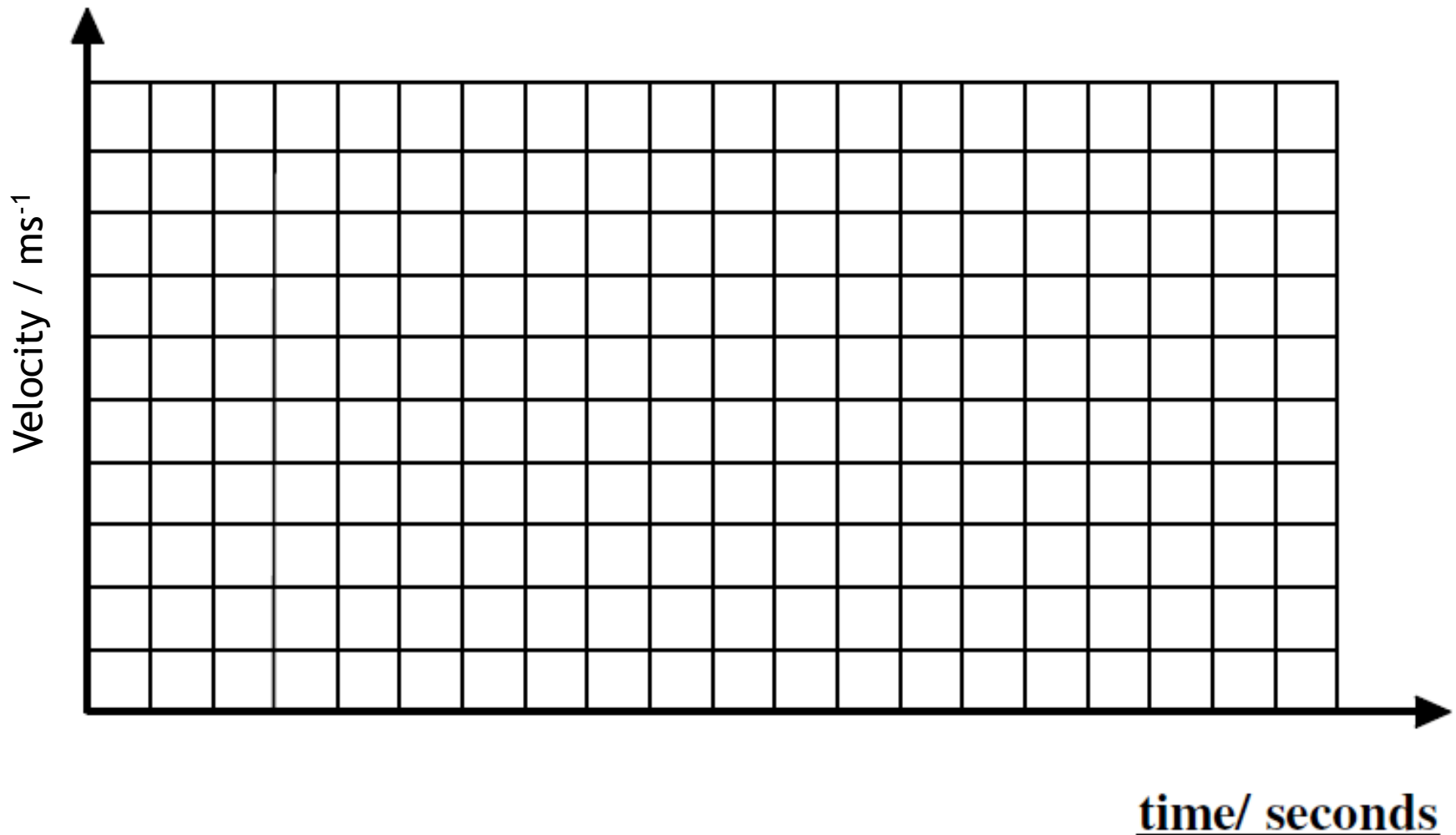
A car brakes at traffic lights, its velocity changes from 9 m/s to rest in 6s. It remains at rest for 14s. It then accelerates to 12 m/s in 8s.

Velocity time graph



Maximum speed = 90 metres per second. Total time = 20 seconds.

A racing car travels at a steady speed of 10 metres per second for 2 seconds before accelerating constantly/uniformly for 12 seconds to a speed of 90 metres per second. The car then immediately decelerates constantly/uniformly for 6 seconds to a speed of 70 metres per second.



Velocity-time graph challenge

1. Draw a set of axes for a velocity-time graph in your jotter.
2. In your neighbour's jotter, neatly and using a ruler, draw in a simple journey involving at least two changes in acceleration.
3. In your own jotter write a short story which could be described by the graph your neighbour drew in your jotter.
4. LATER WE WILL calculate the accelerations and the total distance travelled on the journey, so leave space.

0 - 10 seconds: _____ from _____ metres per second
to _____ metres per second. (Constant/uniform _____).

10 - 14 seconds: _____ of _____ metres per second.

Now you try drawing a graph

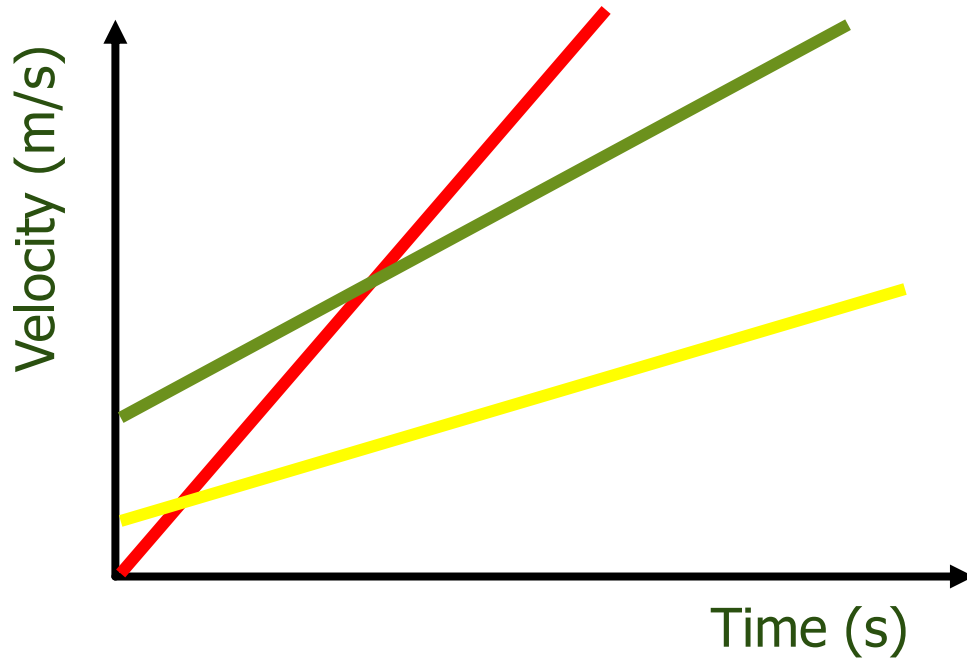
0 - 8 seconds: _____ from _____ metres per second to _____ metres per second. (Constant/uniform _____).

8 - 11 seconds: _____ of _____ metres per second.

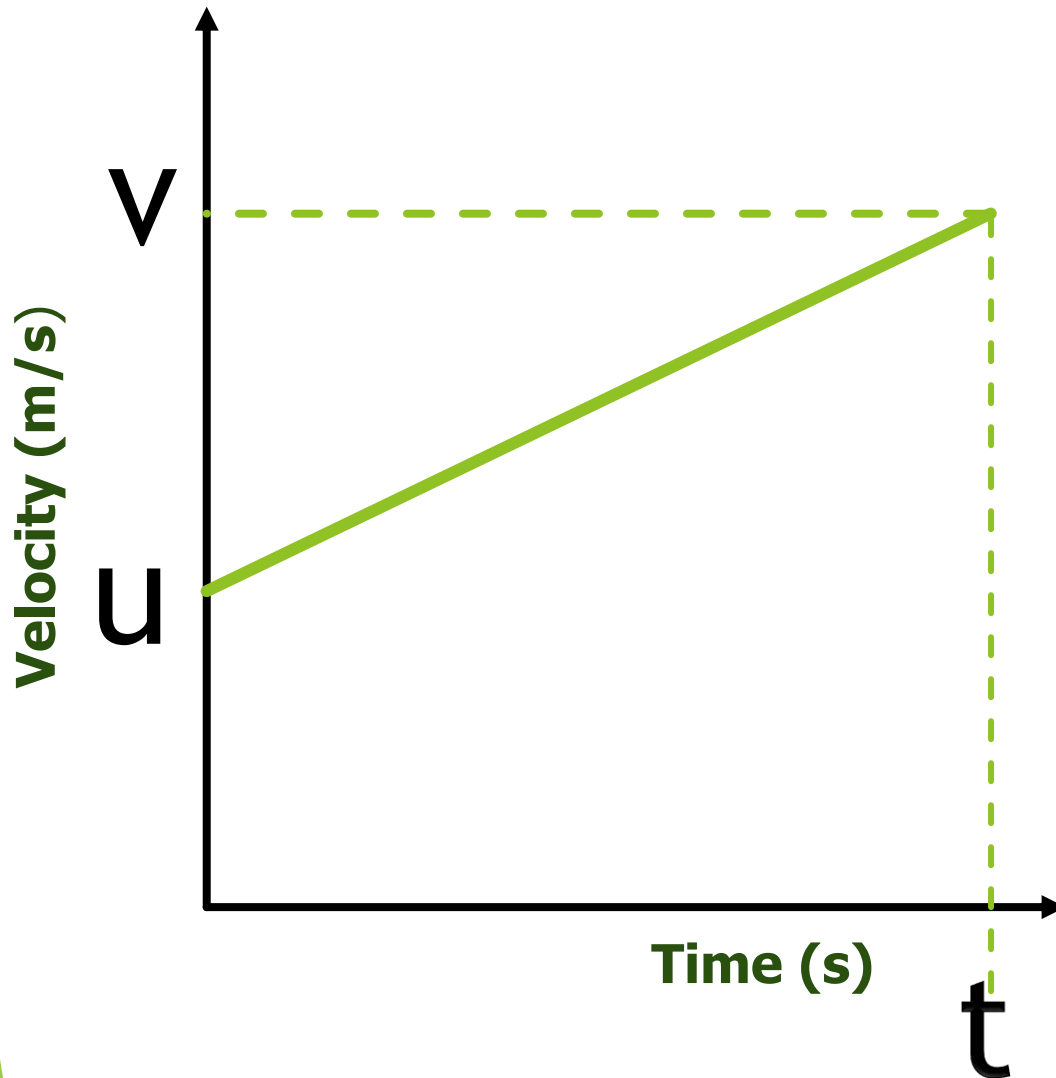
11 - 18 seconds: _____ from _____ metres per second to _____ metres per second. (Constant/uniform _____).

Finding the acceleration from velocity-time graphs

The **gradient** of a velocity time graph (steepness) tells us the **acceleration** of the object. The **steeper** the graph (bigger the gradient) the **greater** the acceleration.



Finding the gradient of a velocity-time graph



Gradient= rise/run
Or

$$m = \frac{\text{vertical}}{\text{horizontal}}$$

$$m = \frac{y_2 - y_1}{x_2 - x_1}$$

In our case that is
vertical= (v-u)
Horizontal=t

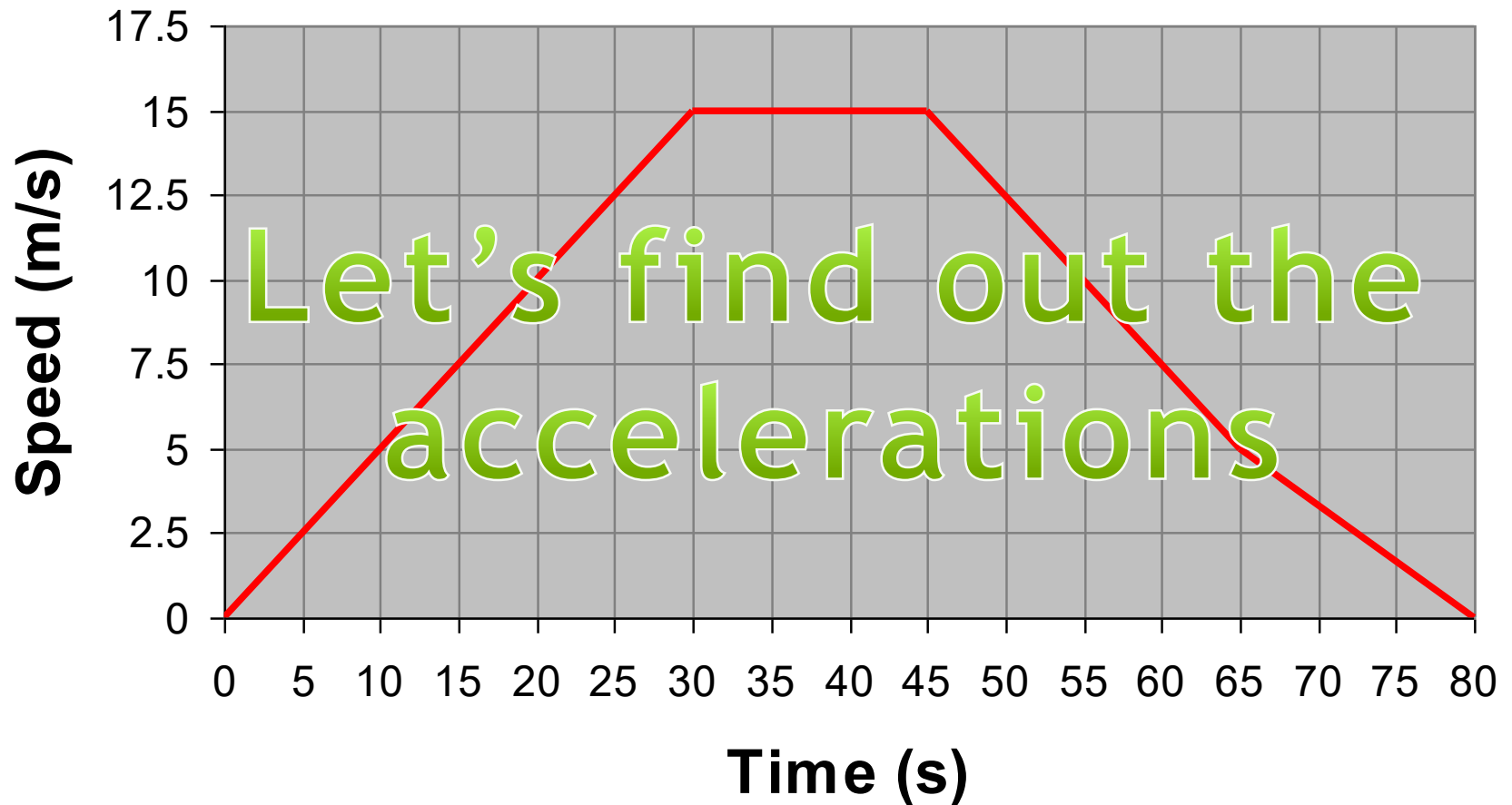
Gradient=(v-u)/t
Gradient = acceleration

Drawing velocity-time Graphs

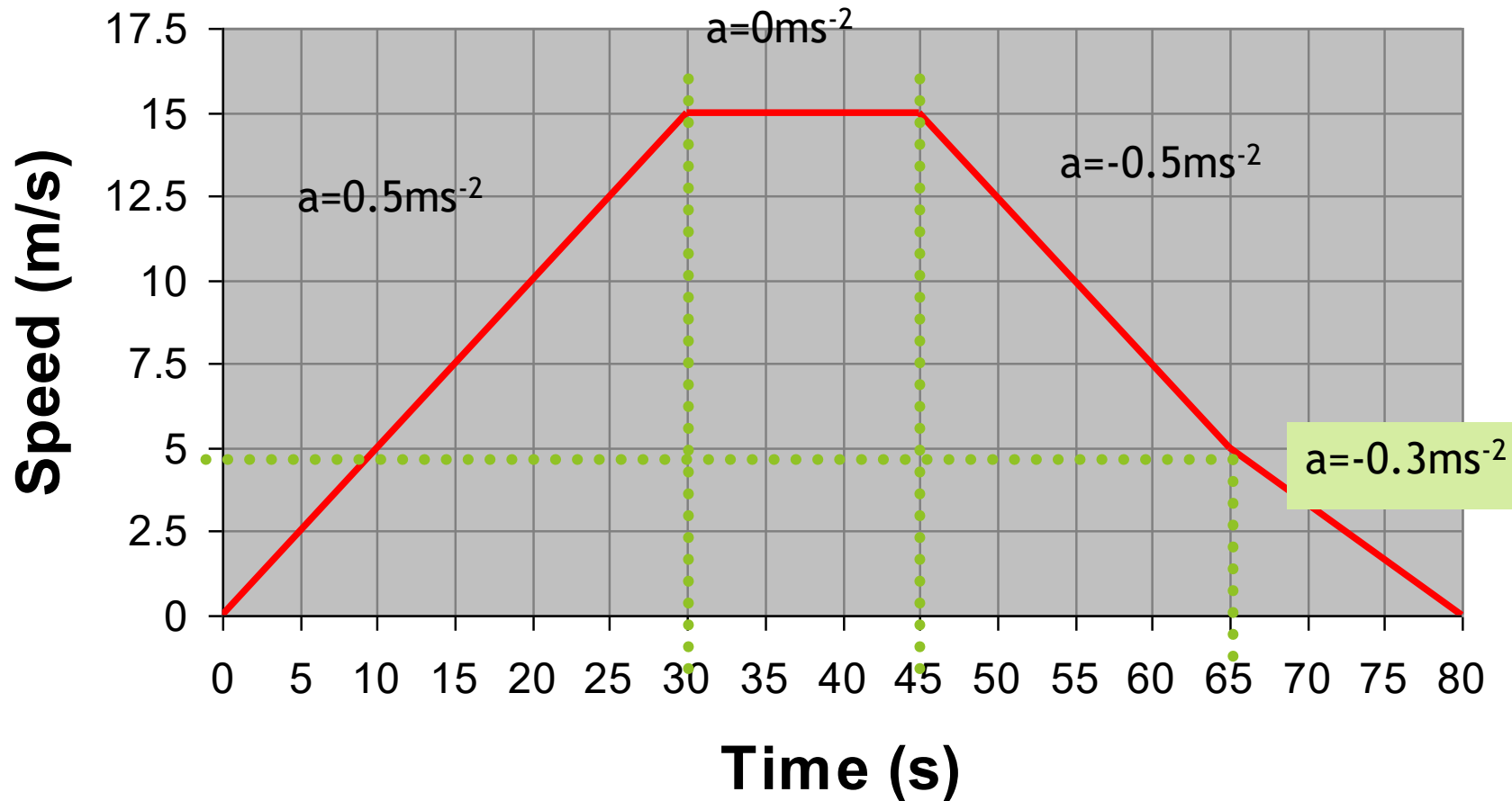
Draw a velocity-time graph for the following journey

- ▶ A train leaves the station and take 30s to accelerate to 15m/s.
- ▶ It remains at this speed for a further 15 seconds.
- ▶ As it approaches the next station it slows to 5m/s. It takes 20 seconds to decelerate to this speed
- ▶ As it finally pulls into the next station it slows to a stop in 15 seconds.

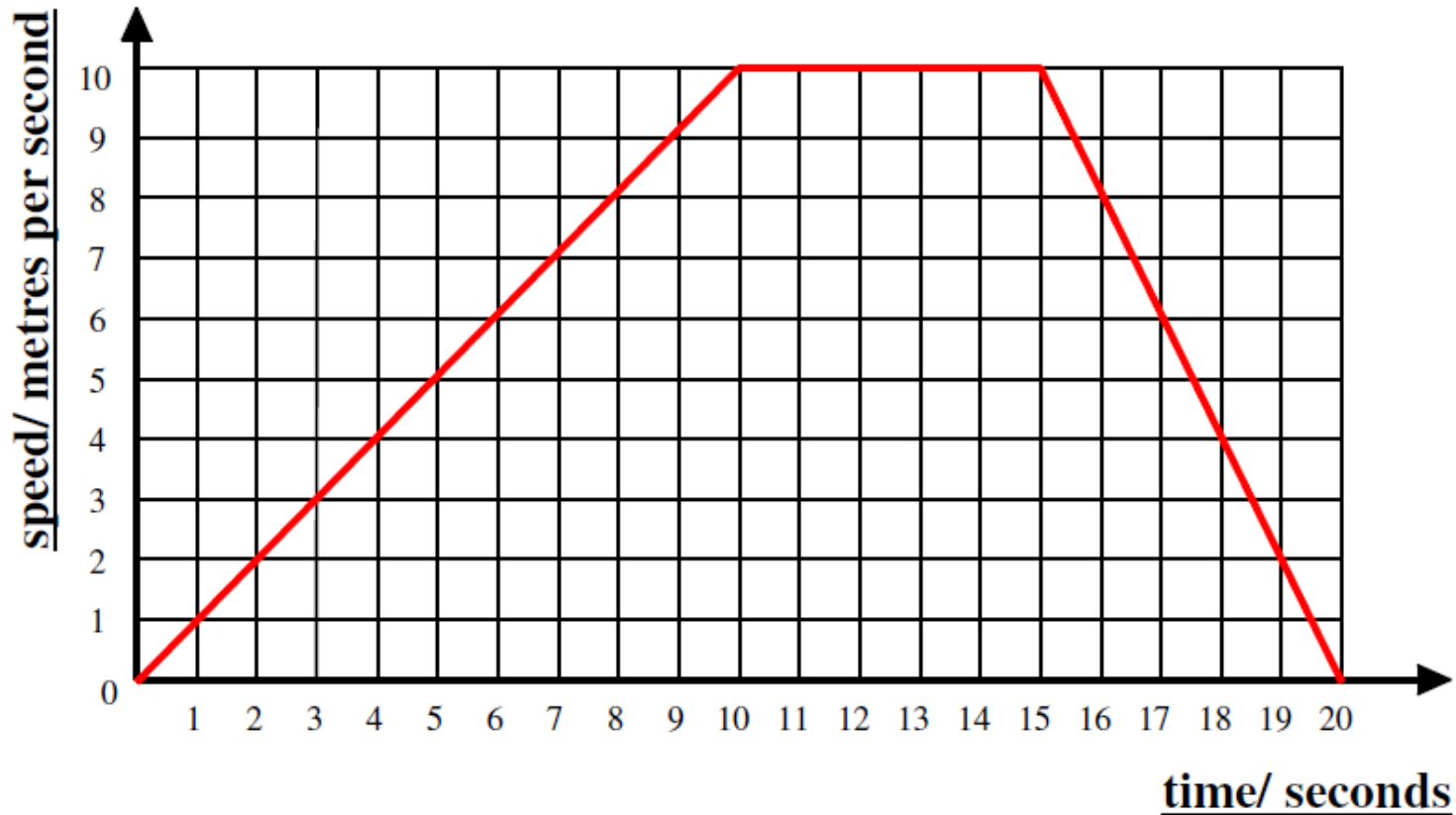
What It Should Look Like



What It Should Look Like



Describe the motion represented by the **line** on each **speed-time graph**:

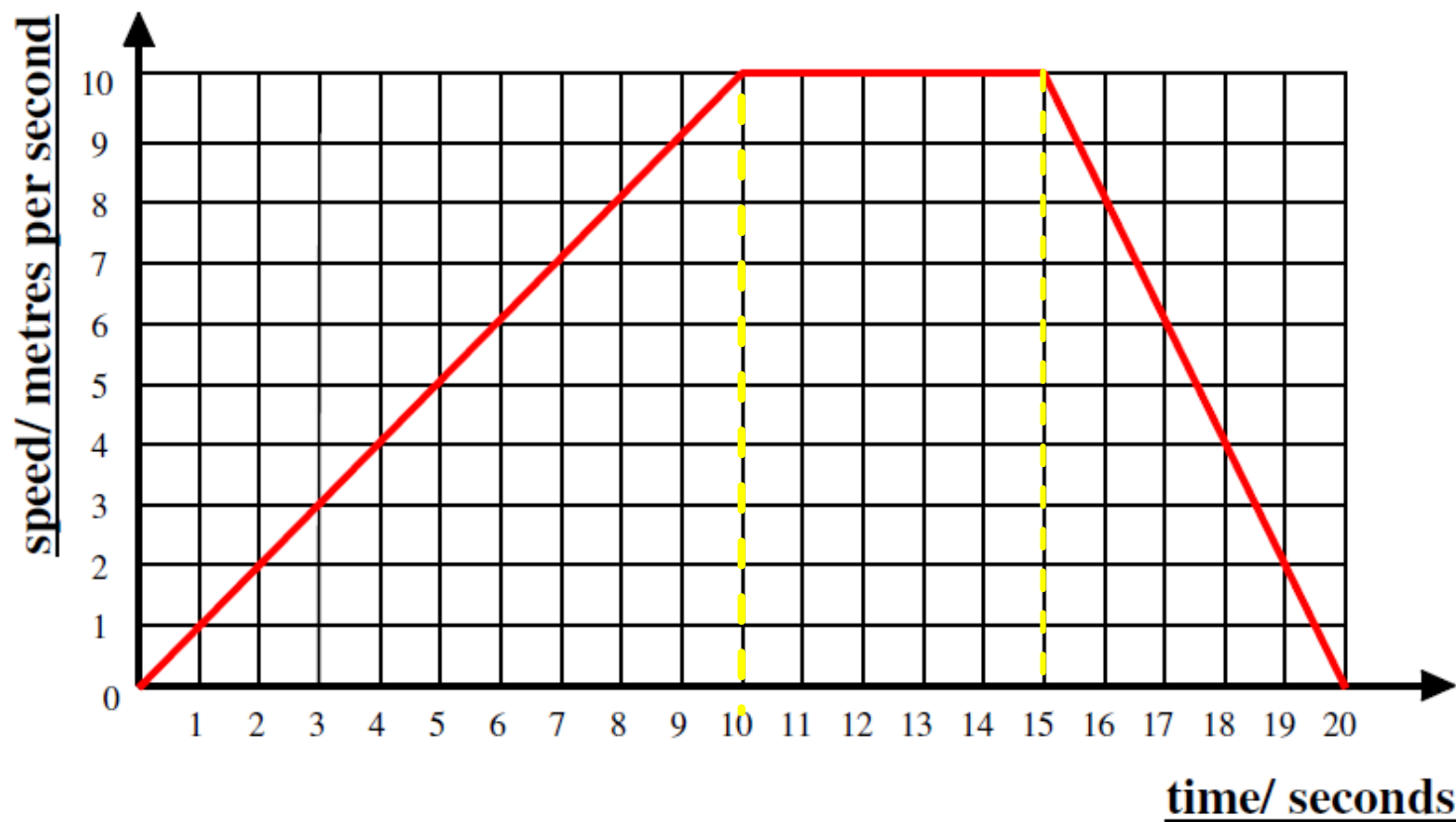


0 - 10 seconds: _____ from _____ metres per second to _____ metres per second. (Constant/uniform _____).

10 - 15 seconds: _____ of _____ metres per second.

15 - 20 seconds: _____ from _____ metres per second to _____ metres per second. (Constant/uniform _____).

Finding the Acceleration from velocity-time graph:



Gradient = rise/run

$$a = (v - u) / t$$

$$a = (10 - 0) / 10$$

$$a = 1 \text{ m/s}^2$$

Gradient = rise/run

$$a = (v - u) / t$$

$$a = (10 - 10) / 5$$

$$a = 0 \text{ m/s}^2$$

Gradient = rise/run

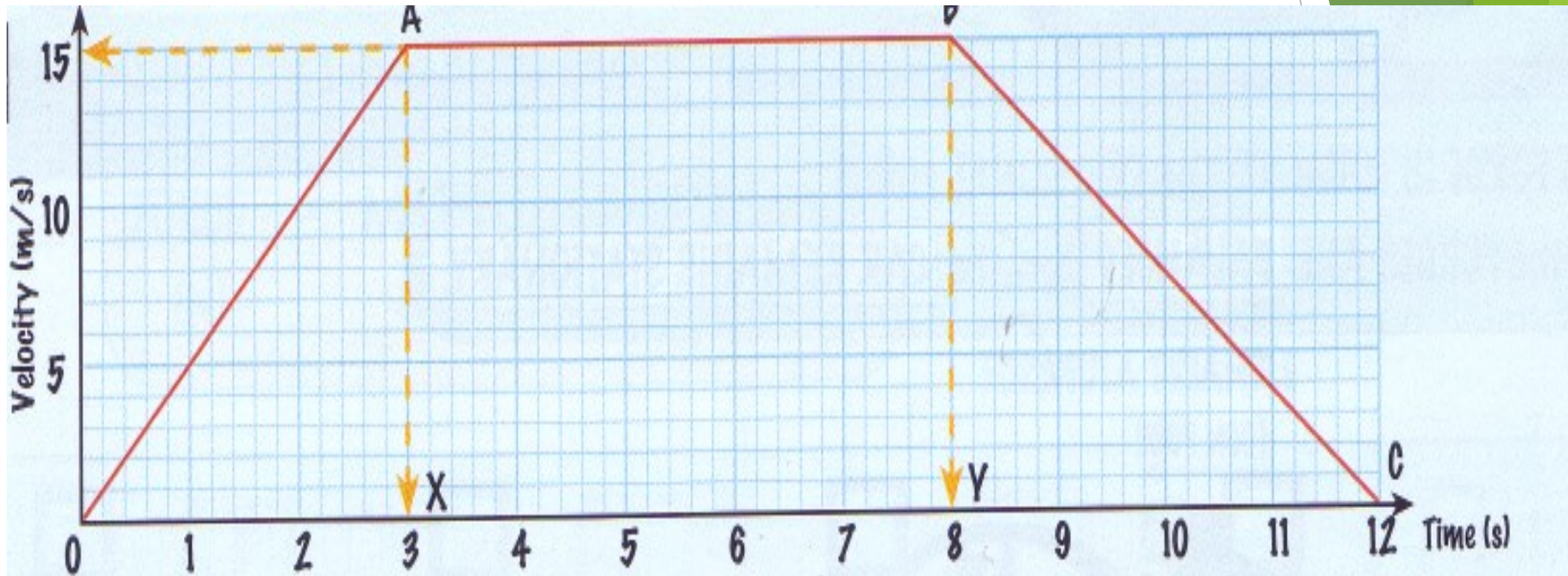
$$a = (v - u) / t$$

$$a = (0 - 10) / 5$$

$$a = -2 \text{ m/s}^2$$

Problems

2. Calculate (a) the acceleration over OA, AB and BC



5m/s^2 , 0 , 3.75m/s^2 , 127.5m

Finding the distance and displacement from velocity-time graphs

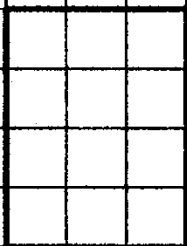


Distance and Displacement from a graph

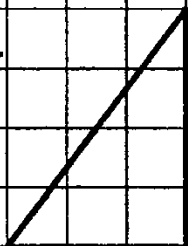
The AREA under a speed-time graph tells us HOW FAR we have travelled (DISTANCE)

The area under a velocity-time graph tells us the DISPLACEMENT of the object.

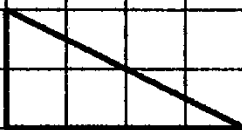
1.



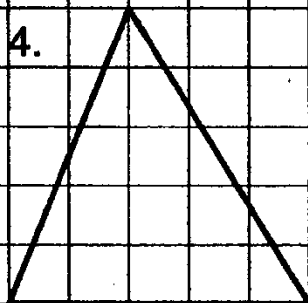
2.



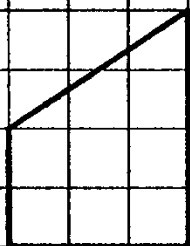
3.



4.



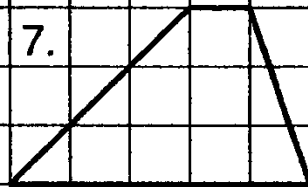
5.



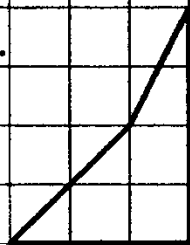
6.



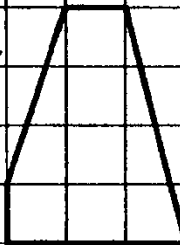
7.



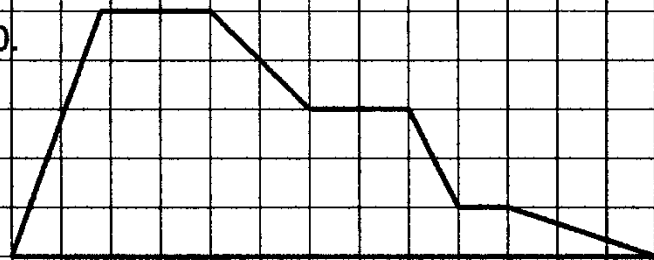
8.



9.

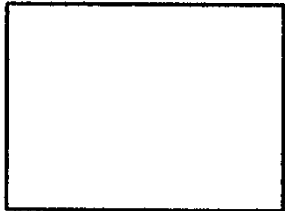


10.



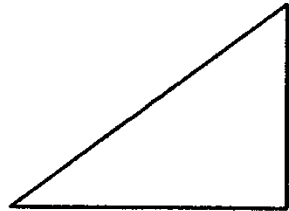
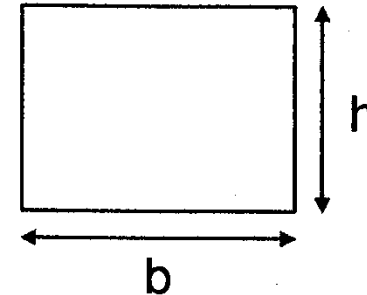
Copy out the shapes and
find the area of each
shape.
Include your working

Finding the area of different shapes



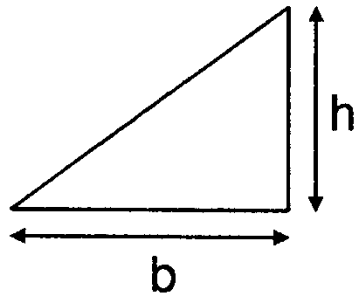
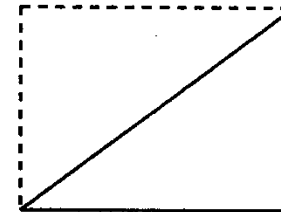
Q. How would you find the area of a square or a rectangle?

A. You would multiply the base by the height to find the area.
 $Area = b \times h$

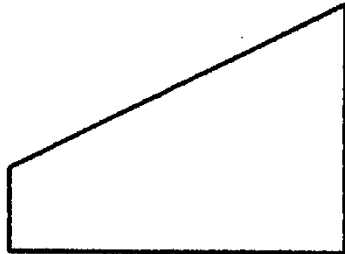


Q. How would you find the area of a triangle?

The triangle is half of a rectangle with the same base and height. The triangle therefore has half the area of the rectangle.

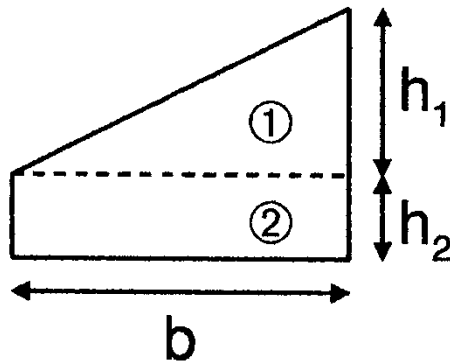
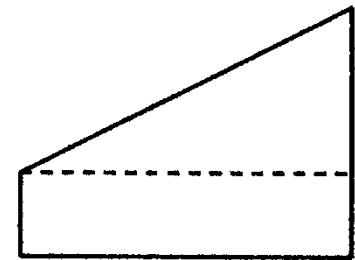


A. The area of the triangle is $\frac{1}{2}$ base $\times$ height.
 $Area = \frac{1}{2} \times b \times h$



Q. How could you find the area of this shape (called a trapezium)?

You could divide it up into triangles and rectangles, and then find the area of each part.

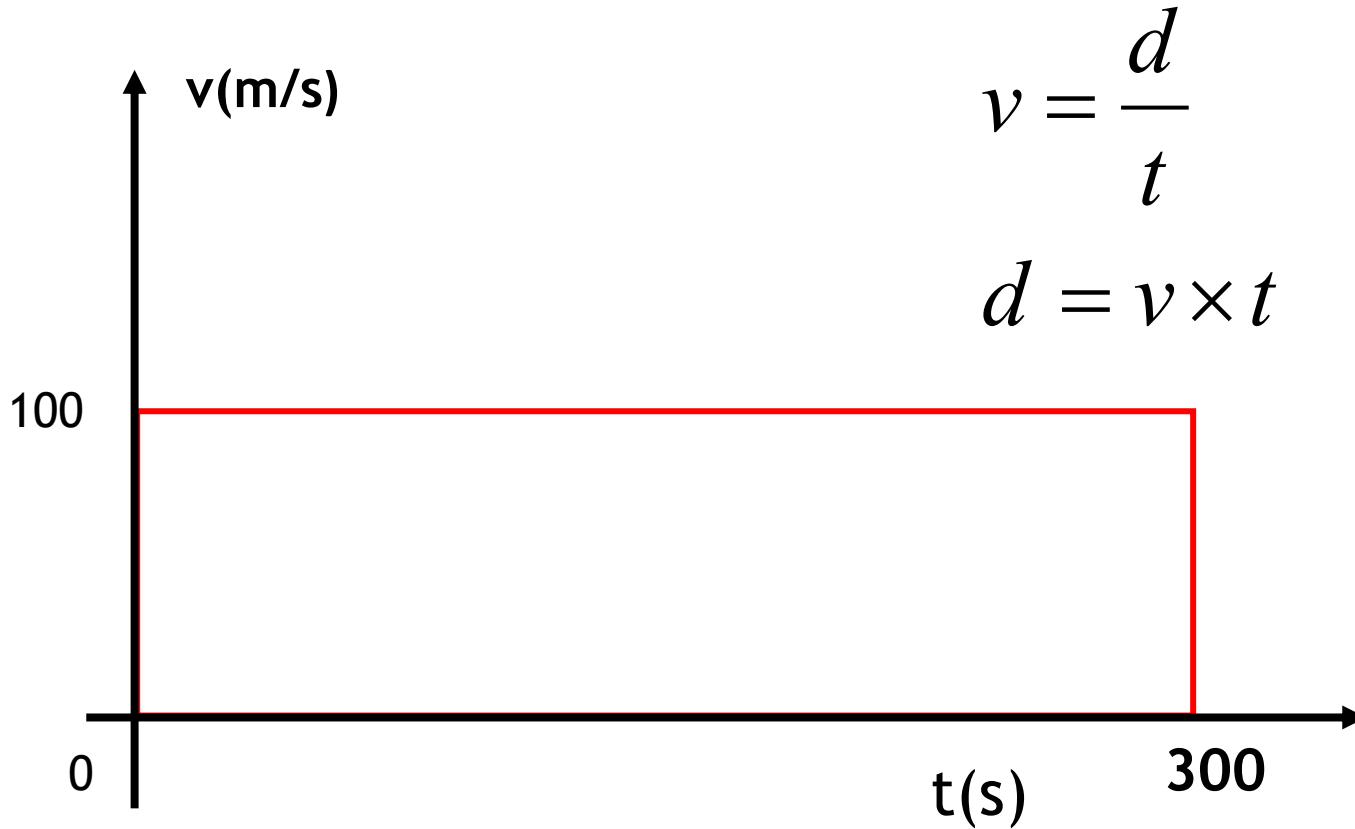


A.

$$\text{Area 1} = \frac{1}{2} \times b \times h_1$$

$$\text{Area 2} = b \times h_2$$

The AREA under a speed time graph tells us HOW FAR we have travelled
(DISTANCE)



My object is travelling very fast. It is travelling at constant speed, its instantaneous speed is constant. It's acceleration is zero. To find the distance travelled, d , we'd use the formula;

$$v = \frac{d}{t}$$

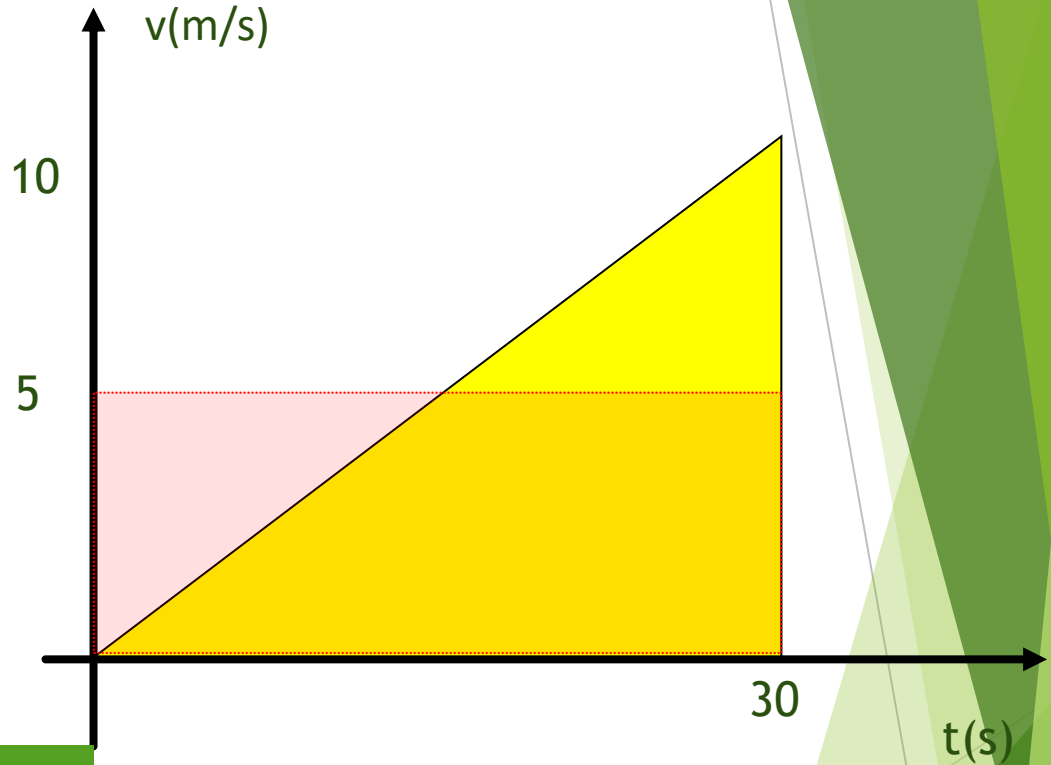
$$d = v \times t$$

$$d = 100 \times 300 = 30\,000\text{m}$$

Find the average speed for this journey.

$$\bar{v} = \frac{u + v}{2}$$

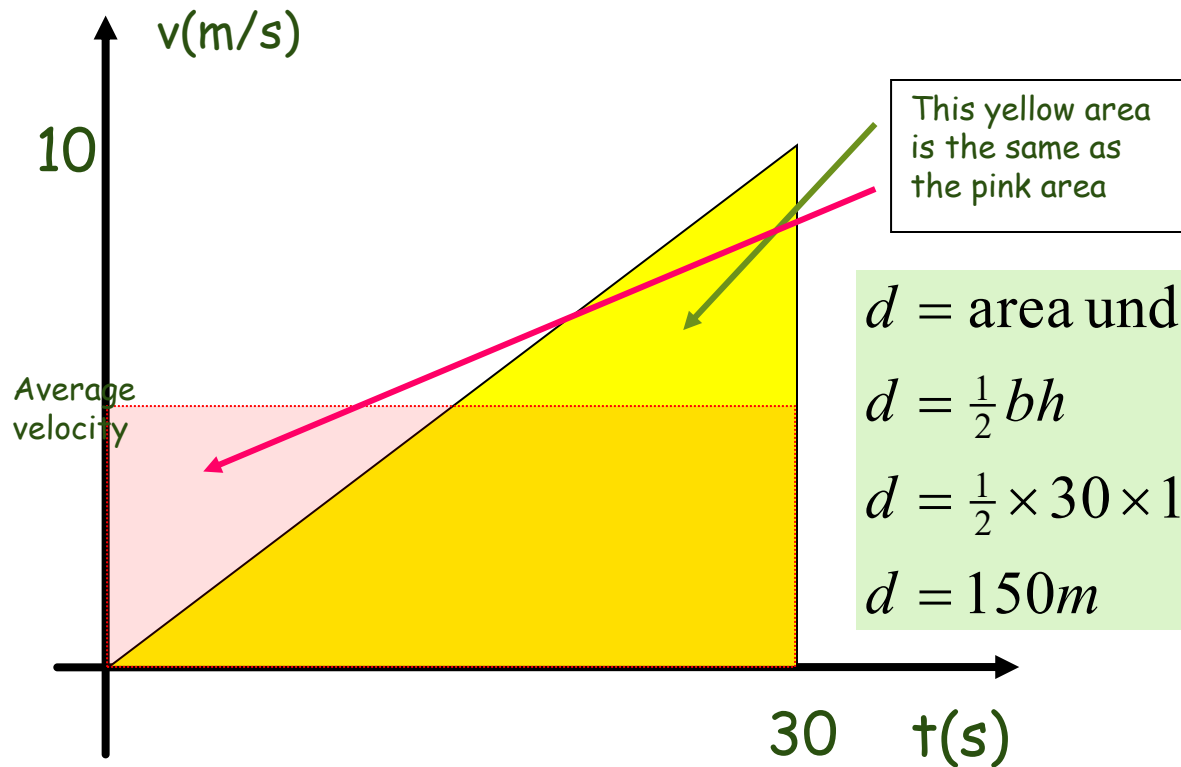
$$\bar{v} = \frac{0 + 10}{2} = 5 \text{ m/s}$$



The area of the triangle is exactly the same as the area of the rectangle with a speed exactly half way between the two values, u & v

$$d = \bar{v} \times t$$

$$d = 5 \times 30 = 150 \text{ m}$$



$d = \text{area under a speed time graph}$

$$d = \frac{1}{2}bh$$

$$d = \frac{1}{2} \times 30 \times 10$$

$$d = 150\text{m}$$

the area of the pink shape is the same as the area of the yellow triangle. Both give you the distance travelled

Speed/ velocity - Time Graphs

Speed time graphs, when drawn accurately can be used to find the total distance travelled during a journey. No matter what the shape of the graph....

Total distance covered = Area under a speed time graph

Often, to find the area, the graph will need to be split into standard geometrical shapes like triangles and rectangles

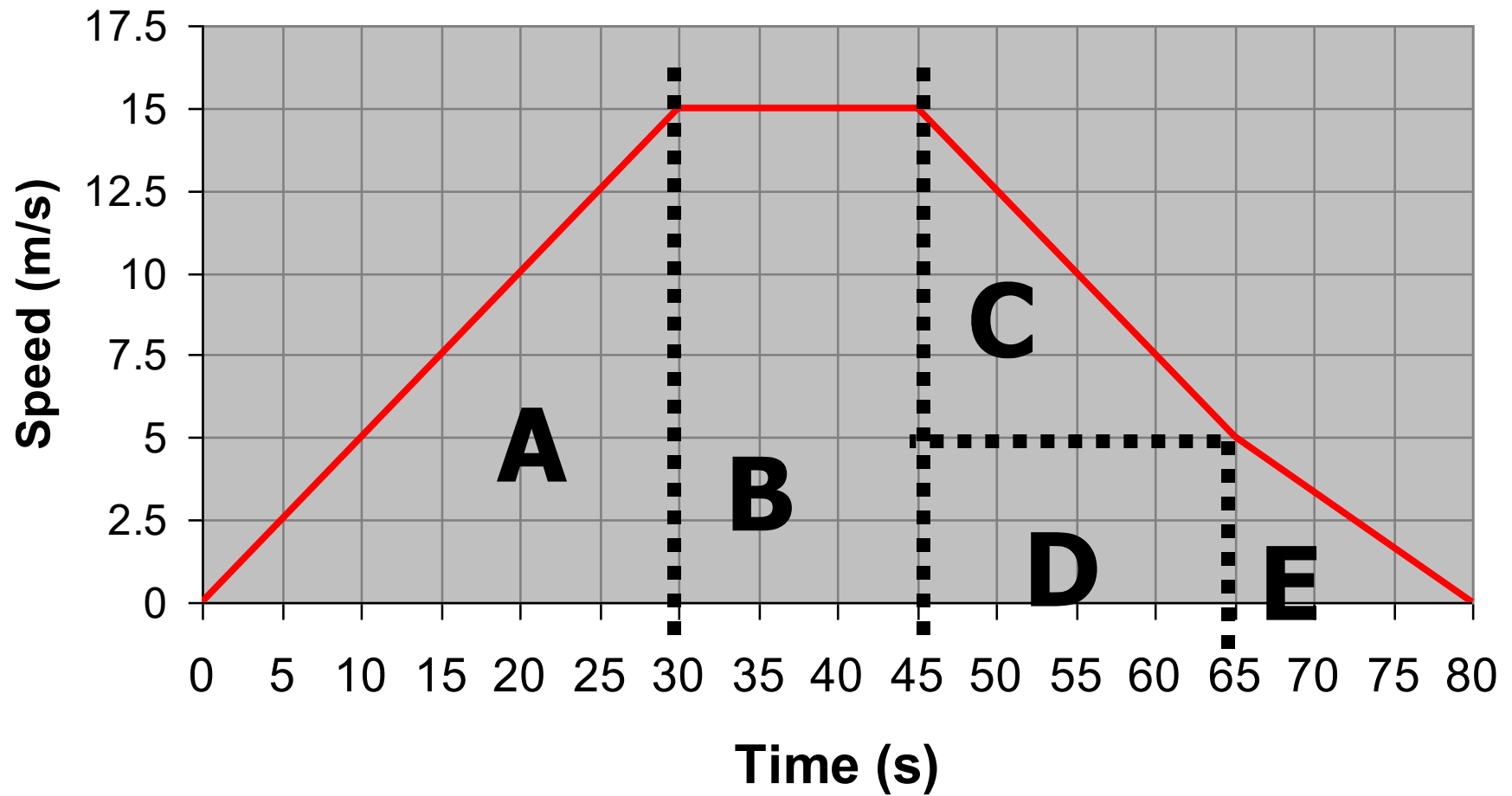


Make a sketch of this
graph and divide it up
into appropriate
shapes

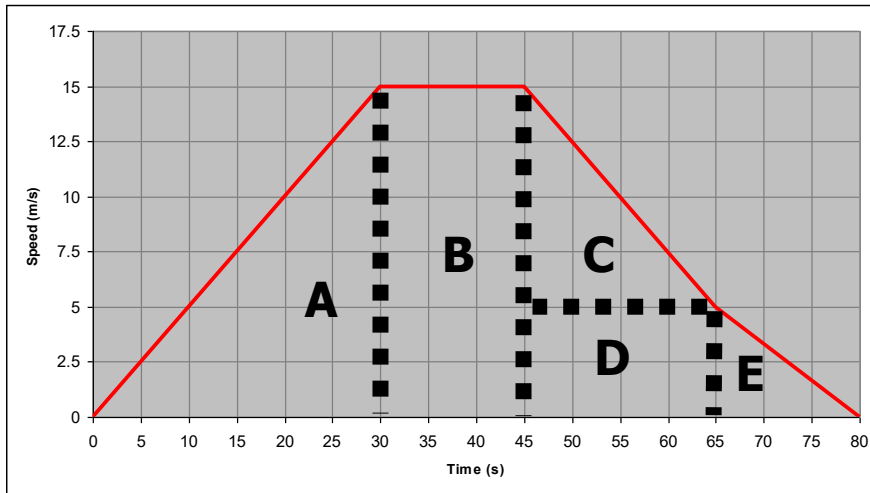
32

Time (s)

How far did it go? Distance!



How far did it go?



Displacement = area under v-t graph

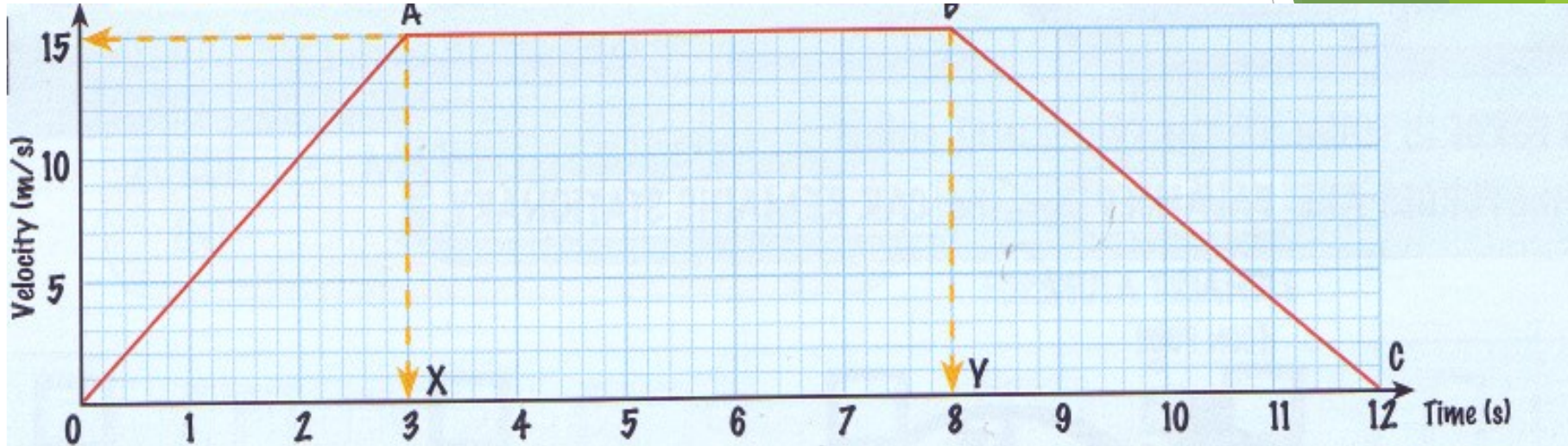
= Triangle A + Rectangle B + Triangle C + Rectangle D + Triangle E

= $(\frac{1}{2} \times 30 \times 15) + (15 \times 15) + (\frac{1}{2} \times 10 \times 20) + (20 \times 5) + (\frac{1}{2} \times 15 \times 5)$

= 225 + 225 + 100 + 100 + 37.5

= 687.5 m

Problem

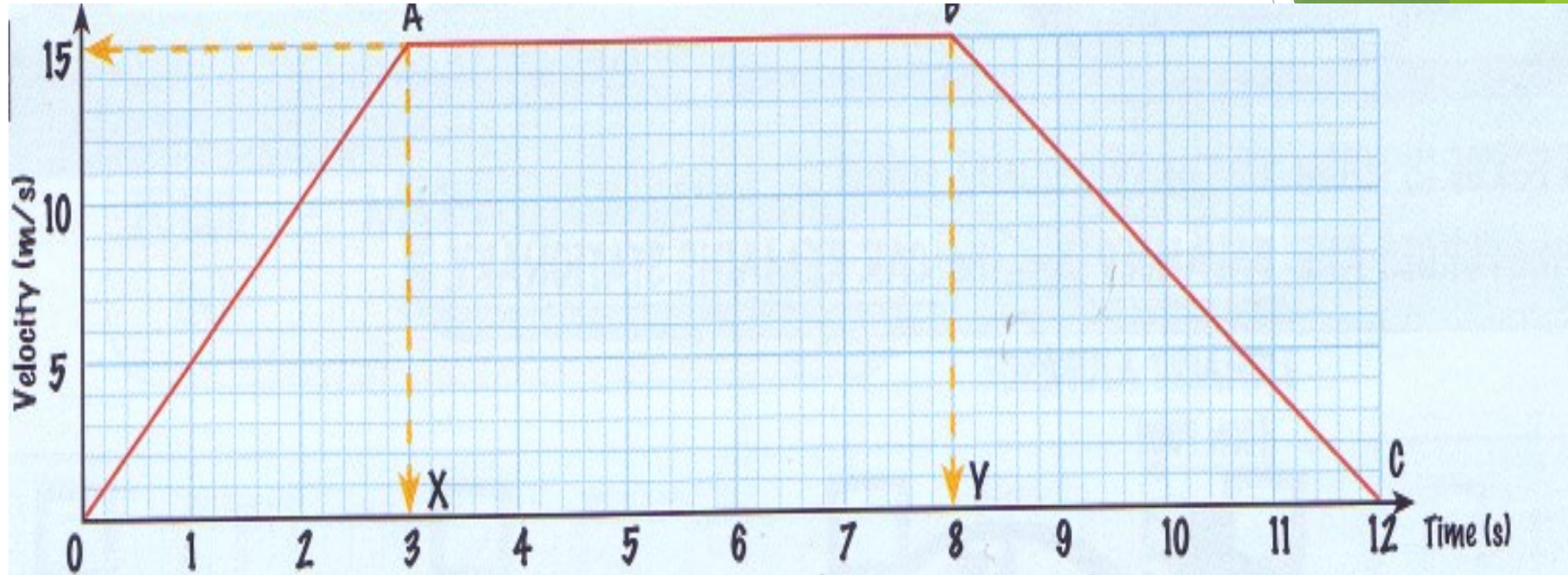


2. Calculate the total distance traveled in the 12 s

127.5m

Problems

1. Calculate the average velocity over OA AB and BC



Velocity time graphs; Summary

- ▶ The gradient of a **velocity** time graph gives the **acceleration** of an object
- ▶ the **area under a velocity time** graph gives the **total distance travelled**
- ▶ ***Increasing or decreasing*** gradient gives the rate at which the **acceleration is increasing or decreasing**
- ▶ means the object is travelling at

Distance-Time GRAPHS

Distance-time graphs

2) Horizontal line =

4) Diagonal line downwards =



1) Diagonal line =

3) Steeper diagonal line =

Distance time graphs ; Summary

- ▶ The gradient of a **distance time** graph gives the **velocity**
- ▶ *increasing* gradient means object is **accelerating**
- ▶ *decreasing* gradient means object is **decelerating**
- ▶ *zero* gradient means object is **stationary**

Problems

1. Describe the motion of the vehicle during the 12s journey
2. Calculate the average speed over OA AB and BC

